Jan KRMELA: Experiments and Computational Modelling of Tires, 2020

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Assoc. Prof. Ing. Jan KRMELA, Ph.D.

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Jan Krmela

Experiments and Computational Modelling of Tires

Textbooks for university students

2020, December



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About the Author

Since 2013, assoc. professor Jan Krmela (1978) has been the Head of the Department of numerical methods and computational modeling at the Faculty of Industrial Technologies in Púchov at Alexander Dubček University in Trenčín, Slovakia. He received his Ing. degree with honors in the field of study Transport Means – Road Vehicles at Jan Perner Transport Faculty at the University of Pardubice, Czech Republic and a Ph.D. in Transport Means and Infrastructure at the same institution. He habilitated in Transport Means and Infrastructure (the habilitation work "The computational modeling of automobile tires") at the same university in 2010. He is a member of the Association of Mechanical Engineers (A.S.I.), the Czech Society for Mechanics and the Scientific Council at the Faculty of Industrial Technologies in Púchov. In 2006, he received a special award for science and research activities by the Rector of the University of Jan Evangelista Purkyně in Ústí nad Labem, Czech Republic. In 2016, he was awarded the Bronze Medal of Maximilián Hell for the development of the Faculty of Industrial Technologies in Púchov, science and education. At 2020, he received Awards for the development and support of science, research and education, Alexander Dubček University of Trenčín.

He has been gaining experience in the FEM program ANSYS since 2000. He co-operated with the Fraunhofer Institut für Technound Wirtschaftsmathematik ITWM, Kaiserslautern, Germany and the Kompetenzzentrum - Das Virtuelle Fahrzeug Forschungsgesellschaft mbH, Graz, Austria (long-term stays by programs Erasmus+, DAAD and others stays). In 2016, he delivered lectures at the Belarusian State Technological University in Minsk, Belarus. He has been a supervisor of dissertation thesis; five Ph.D. students successfully finished under his guidance. He received financed projects GAČR, FRVS, KEGA and Erasmus+. He gives lectures, lessons and organizes seminars on technical subjects. The results of his work have been presented at conferences and in technical papers in journals, monographs and chapters of books. Jan Krmela authored over 270 publications in the following research areas:

- Computational modeling and tests of composites with a rubber (an elastomer) matrix such as tire casings, especially with focus
 on strain-stress states and modal analysis and computational modeling of composites after the degradation processes, tire-road
 interaction and vehicle parts;
- Tests of tires on static and dynamic test machines with the pressure footprint analyses of contact footprints between tires and a
 plane road or a bump and also prediction of radial stiffness of tires;
- Low cyclic loading tests of composites with textiles on a test machine with a video extensometer and static tests of composites with planning of tests with a design of geometric parameters of test samples and test conditions for testing of tire casing parts;
- Determination of material parameters that can be used as input data into computational models;
- Microscopic observation of interface bonds between steel and textile cords and an elastomer;
- 3D printing of technical objects.

LinkedIn and Research Gate: see at the website http://krmela.wz.cz/contact.html



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RESEARCH AREA

Experiments of tires;

- Experiments of structure parts of tires;
- Microstructure of interfaces between reinforcement cords and non-linear matrixes inside composites such as steel-cord belts and their computational modeling after degradation
 processes;

Computational modeling of tires;

Computational modeling of structure parts of tires.

Author deals with:

The complex approach to experiments and computation of tires from macrostructure and microstructure too. Namely computational modelling of strain-stress states of the composite structures of tire-casing and the tireroad interaction and experimental modelling of tires too. Also computational modelling of parts and structural parts of vehicle, computation and experiments of composites with non-linear matrixes, microscopy observation of bond between cord reinforcement and rubber matrixes, degradation processes of tires and composite structures with rubber.

- For <u>TIRE COMPUTATIONAL MODELING</u> (analyses: stress- strain, modal, temperature field, combine, dynamic)
- by FEA tires models in programs: ANSYS (over 16 years)

VERIFICATION APPROACH TO COMPUTATIONAL MODEL OF RADIAL TIRE



EXPERIMENTS FOR OBTAIN MATERIAL PARAMETERS
 EXPERIMENTS OF TIRES ON "ADHESOR"
 PRESSURE FOOTPRINT ANALYSES



Experiments and Computational Modelling of TIRES

The university textbook has an international significance. It can be used by students of universities / faculties in Minsk Belarus, Sumy Ukraine, Graz Austria, Katowice Poland, Pardubice Czech Republic, with which the author collaborates, but also students who are interested in the issue of tires.

Preface

This special textbook deals with experiments and computational modelling of tires as complex specific long fiber composites. The textbook is focused on the radial tires for passenger cars namely. Students gain knowledge about structure of tire, about the inputs parameters to the tire calculation, abut evaluation the results of the calculations and experiments etc.:

- 1. *Tire introduction*: Definitions, Composite, Structure of cross section of tire, Type of tire casing.
- 2. *Tire tests*: Planned experiments, Static adhesor, Dynamic adhesor, Deformation characteristics, Radial stiffness calculation.
- 3. *Output from experiments*: Load conditions of tires, Contact patch, Contact pressure, Pressure footprint analyses, Comparison winter with summer tires, Special graphs from dynamic tests, Static test of bicycle tire.
- 4. *Experiments of tire parts*: Preparation of test samples, Tensile load, Bend load, Character of deformation, Outputs from tests.

- 5. *Degradation processes*: Degradation, Limit state, Corrosive test, Outputs from tensile tests, Microscopic evaluation of interaction of the cord – rubber (elastomer).
- 6. Computational modelling of tire: FEA by program ANSYS, Parts of tire, Elastomer, Determination of Mooney-Rivlin parameters, Comparison of experiment results with simulation results of tire parts.
- 7. Creation of computational models: Geometrical parameters, Material parameters (characteristics) as input for computational model, Replacement of belt structure for FEA of tire.
- 8. *Outputs from simulations:* Strain-stress analysis, Verification criteria, Simulation of tire-road interactions, Outputs from plane surfaces and obstacles, Dynamic loading, Modal analysis.
- 9. Interest information: Optimalization of computational time, Material parameters and their sensitivity to the precision of results, Structure of truck tire, Freeware (CADEC) for compute of composite material parameters.
- Conclusion: Recycling of tires, Future tire design advantage and disadvantage, Search study about computational modeling of tire noise.

I believe that this textbook will help university students to better understand the interdependencies between material parameters, experiments and tire calculations, and the information contained in it will contribute to broadering of knowledge of the wider professional public and will be used by students <u>anywhere in the World</u>.

Jan Krmela, the author

Part 1 – TIRE INTRODUCTION Definitions, Composite, Structure of cross section of tire, Type of tire casing, Tire production



Definitions Tire

ČSN 641001: tire casing + rim + inflation pressure.

Tire casing

ČSN 641001: only part of tire = "elastic " part = interaction with road and rim.



One construction of tire is used for passenger cars, other constructions for trucks, off-highway cars and sports cars. tires for air transportation, The agricultural vehicle, mining machine and other vehicles have got complicated structured in comparison radial tires for passenger cars.

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Bias-ply tires have plies that cross at 35-45° angles
Radial tire – plies carcass - angle 90°

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TIRE FOR VEHICLE

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Tire = as polycomponent composite with a rubber matrix reinforced with textile and steel cords.

COMPOSITE - definition

Consist of min. 2 phases (namely called matrix + fibre). Phases must be different in mechanical or physical or chemical properties. Min. 5% fibre in matrix.

Composite must be material with better material parameters than matrix and fibre themselves.

Tire has **specific behavior** by complex structure \Rightarrow **requirements**



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The vehicle tire can be generally understood as long-fiber composite material where there is an interaction with the elastomeric matrix with metallic as well as non-metallic reinforcements. The composite structures used in tire with the different cord-angle, material of cords, numbers of layer (single-layer or multi-layer) are:

- textile tire carcass;
- overlap textile belt;
- steel cord belt.

The standard automobile radial tire consists of elastomer parts and parts with textile-cords and steel-cords in tire tread as reinforcements. The sidewall of tire for passenger cars consists of one polyester ply and into tread are namely four plies: one polyester-, two steel- and one polyamide- ply. The textile carcass density (it is number of ends per one meter width, marked as EPM) is from 700 to 1 150 m⁻¹. The EPM of textile cap ply is 1 100 \div 1 200 m⁻¹. Tests of specific long-fibre composite materials with elastomer are not standardized. Therefore, for tests of cyclic loading the shape of specimens of single-layer with textile cords and elastomer must be designed.



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COMPOSITE STRUCTURES of tire carcass



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Structure in the middle of tire crown

Steel-cord 2+2x0.28 mm Steel-cord and elastomer interface of different radial tires (1 and 2)





.
















These structures of tire have got:

- Different cord-angle (e.g. for steel belt applied angle 21-27° into radial tire for passenger car);
- Material of cords (steel, textile, Kevlar, combine);
- Shape and construction of cord (wire, wire strand);
- Numbers of layer (single-layer or multi-layer).

So tire has got characteristic specific deformation properties

 \Rightarrow



High-strength steels are used exclusively for steel-cord production and good adhesive bond between rubber and cords required. Steel-cord surfaces are modified by chemical-thermal treatment - braze or copperier (cooper 63,5 % and brass 3 ÷ 7 g/kg steel), to achieve the best adhesive bond of a steel cord and rubber and get it corrosion resistant

Construction of steel-cords

Construction	Diameter of cord D c[mm]	Maximum load [N]		
2×0,30 HT	0,60	405		
4×0,28	0,66	600		
3×0,15 + 6×0,27	0,85	960		
$3 \times 0,20 + 6 \times 0,35$	1,13	1 550		
3×0,20 + 6×0,35 HT	1,13	1 770		
3+9×0,22+0,15	1,17	1 210		
12×0,22+0,15	1,18	1 210		
3×7×0,22 HE	1,52	1 720		
27×0,22+0,15	1,58	2 600		
3+9+15×0,22+0,15	1,60	2 600		
7×4×0,22+0,15	1,81	2 725		

Tire cord types (by MATADOR Púchov and producer e.g. DRÔTOVŇA Hlohovec, BEKAERT):

➤ HT high tensile,



➢ NT normal tensile,

> HE HIGH ELONGATION CORD = e.g. 3x7x0,22 HE (= 3x7x0,22 SS) – overlap belt with angle 0°. Elongation up to 7.5 %. Expensive production.

Modern cords: hybrid with polymer inside, carbon C 0,60-1,15%, manganate Mn 0,10-1,10%, silicon Si max. 0,90% + Cr, Ni, Cu, Co, V.



TEXTILE cords

Textile	labelling	appplication	
Polyester	PES 144×1×2	Tire casing	
	PES 167×1×3	The casing	
Polyamid 6	PA 6 94×1×2	Overlag helt	
	PA 6 94x1	Overlap beit	
Polyamid 6.6 (nylon)	PA 66 140×1×2	Overlap belt	
Viskóza (rayon)	VS 184×1×2		
	VS S3 184×1×3	Tire casing	
	VS 244/1x2		
Aramid	Aramid 110×1×2	Sport	

For tire carcass rayon and polyamid (nylon PA 66):

- High strength,
- Elastic property.

Aramid (tire casing for sport) high strength (to 2 750 MPa), low module of elasticity, low elongation and dimensional stability.

EPDM 70 ÷ 115 (numer of cord for 10 cm width).



Strain [%]

Modulus of elasticity

(from producer or experiment modulus for $\varepsilon = 5 \%$ = name of modulus is LASE – Load At Specific Elongation 5 %;

Or modulus as stress necessary on elongation 100 %, extrapolation for elongation 2 %)

• Poisson ratio = no constant, dependence on deformation

\Rightarrow standard strength (N/dtex) and elongation (%).

After vulcanization process – modulus can be change (influence heat).

material	<i>modulus</i> <i>E</i> t [MPa]	Poiss. ration v _t [1]	
Nylon (PA 66; overlap belt PA 94x1)	1 600 ÷ 2 000 (900 ÷ 3 450 ; 9 ÷ 50 cN/dtex)	0,32 ÷ 0,45	
Rayon (carcass PES 144x1x2)	1 200 ÷ 1 400 (600 ÷ 11 000 ; 8 ÷ 120 cN/dtex)	0,38	

⇒ Temperature 20°C and humidity 65 % length 500 mm

 \Rightarrow unit of E

cN/dtex

Part 2 – TIRE TESTS: Planned experiments, Static adhesor, Dynamic adhesor, Deformation characteristics, Radial stiffness – calculation



Planned experiments of tire

•Why experiments?

 Knowledge? Can I test?? If yes, than continue/ If no, I must study of problem !

•Which test? Static / dynamic ?? Why?

•Which tire? Passenger car, truck,

•Why test (purpose)? Stiffness, contact area,??

•Which standards? ČSN, ...

•Which test machine? Have I them? If yes, than

If no, I have done because I can not do experiments.

•Barriers? Time, finance, software, ... If no barriers, than no problems, I can start with experiments......

•Experiment conditions? Given or must be design

•Parameters of test? Loading by ? speed, ...

•Verification analyse of results? By literature?

•Outputs from experiments?

•Outputs for computational modelling?

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TEST OF TIRE



ČSN 63 1001-4 – Standard: Terminology of tyres. Testing, 1980 (in Czech and English)

ČSN 63 1502 – Standard: Tyre testing. Introduction for the preparation of tyres for laboratory tests, 1988 (in Czech)

ČSN 63 1554 – Standard: Tyre testing. Determination of tyre / ground contact pressure, 1983 (in Czech)

ČSN 63 1509 – Standard: Determination of force variation at radial stress, 1985 (in Czech)

ČSN 63 1511 – Standard: Testing of tyres. Determination of static radial stiffness and static tyre radius, 1983 (in Czech)





Contact area of radial tire is greather than diagonal tire.

Contact area dependences on:

- Radial loading;
- Inflation pressure;
- > velocity.

Deformation characteristics of tire

(load-deflection curves)

Radial Torsion Lateral Jan KRMELA: Experiments and Computational Modelling of Tires, 2020

Radial deflection (vertical deformation) characteristic

of tire - dependence between radial load (tire normal force) and radial deflection.



Radial stiffness

The radial stiffness, which is obtained from the radial deformation characteristic by calculation, is an important parameter entering the calculation of entire cars, because the stiffness parameter replaces the whole tire.

The standard ČSN 63 1511 defines the radial stiffness from the radial deformation characteristic by using a computational relationship, which is determined by points corresponding to 75% and 125% of LI (load index).

Radial stiffness

The radial stiffness dependences on inflation pressure of tire.

$$S = \frac{F_{125\% load} - F_{75\% load}}{x_{125\% load} - x_{75\% load}} \text{[N/mm]}$$

 $\begin{array}{lll} & \mbox{Where:} & \mbox{S} [N/mm] & \mbox{radial stiffness;} & \mbox{radial stiffness;} & \mbox{F}_{125\%load} [N] & \mbox{vertical force for 125\% load;} & \mbox{radial force for 75\% load;} & \mbox{vertical force for 75\% load;} & \mbox{radial deformation for 125\% load} (F_{125\%load}); & \mbox{radial deformation for 75\% load} (F_{75\%load}). & \mbox{H}_{75\%load} (F_{75\%load}) (F_{75\%loa$

load index (LI)

The radial stiffness can be obtained by calculation relating to the static radial deformation characteristics from two points of deformations corresponding to forces for 75 and 125 % of tire load capacity (marked as LI) by the standard ČSN 63 1511.

Stiffness is an important parameter in relation to the calculation of tires as the integral car system because the stiffness value replaces the tire including its geometry, structure, material parameters, influence reinforcements and inflation pressure. Tire Matador 165 / 65 R13 MP16 77 T Stella 2) for passenger cars (on steel wheel rim 5Jx13) by the help of two test machines for static and dynamic experiments. The tire has maximum load capacity of 412 kg (load index LI is 77) and the maximum inflation pressure of the tire is 300 kPa.

Maximum velocity of tire is 190 km/h (the speed index is T).

The tire carcass consists of one layer of polyester and the tread consists of two layers of steel-cord belt and two layers of polyamide belt. The density of the steel-cord belt is 96.1 ends per decimeter.

The inflation pressures of the tire used for static experiments were 160 kPa (underinflated tire) and 240 kPa (current inflation pressure of tire for given passenger car). Different pressures were used for the comparison of their influence on the static radial deformation characteristics.

The maximum circumference of the tire is 1713 mm for maximum inflation pressure.



Tire 165 / 65 R13 for experimental testing

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From the technical data of the tire-casing in the catalogue of the producer can be seen that the static loaded radius of the new tire-casing for the maximum load capacity and the given inflation pressure (probably 250 kPa) is 248.0 mm. The static loaded radius is the distance from wheel axle centerline to supporting tread surface at a given radial load and inflation pressure in a static condition.

By recalculation (from the diameter of new tire) the preliminary value of the radial deformation of the tire-casing in contact with the ground can be obtained for maximum load capacity of the tire. In this case the radial deformation is 24.0 mm. The static radial stiffness (for the given inflation pressure, which is related to the value of the radial deformation) can be estimated, using a simple equation, as the ratio of the maximum load capacity in N and radial deformation in mm according to equation (1):

$$S = \frac{F_{100\% \text{ of LI}}}{x_{100\% \text{ of LI}}} = \frac{412 \cdot 9.81[\text{N}]}{24.0[\text{mm}]} = 168.4[\text{N/mm}]$$

Where: S [N/mm] or [kN/m] – static radial stiffness of tire (for the given inflation pressure 250 kPa),

 $F_{100\% of LI}[N]$ – vertical force for maximum load capacity of tire (LI), $x_{100\% of LI}[mm]$ – radial deformation of tire-casing for LI.

The static radial stiffness for the given inflation pressure 250 kPa is 168.4 N/mm. It is only a preliminary value from equation

Radial stiffness in N/mm

High profile number (70 – 82) stiffness 200 N/mm.

Low profile number (45 – 40) stiffness 280-300 N/mm (R16- R18)

Standard stiffness values for modern tire for passenger cars are 200-320 N/mm. The radial stiffness depends on the inflation pressure of tire. It is a fact that with the increasing inflation pressure, the radial stiffness increases. Moreover, the radial stiffness depends on the composition and the construction of the tire-casing. Tires with high profile number from 70 to 82 have static radial stiffness 200 N/mm, tires with profile number 50 have stiffness e.g. 240 N/mm. Tires with low profile number 45 – 40 and radiuses from R16 to R18 have stiffness approx. 260 – 320 N/mm. In general, the static radial stiffness values of radial tires for passenger cars are in range 200 – 320 N/mm.



Torsional deformation characteristic

Torsional deformation characteristic

Dependence between torsion moment M_k and angle rim-casing $\Delta \varphi$.



Lateral deformation characteristic





Radial tire casing

expensive, accuracy of manufacture in comparison with diagonal

- > economic: low rolling resistance ⇒ low fuel consumption slower tread wear ⇒ higher lifetime in km
- safeness: bigger contact area \Rightarrow shorter braking distance good cornering stability
- *comfort*: elasticity sidewall bumps = less than diagonal

TIRE TREAD PATTERN

Winter comparison with summer tire:

- tread profile
- rubber mixture with silica.

winter **7** SILICA, supplanting black = goog elasticity under 7° C to -30 °C \Rightarrow

M+S ("mud and snow").

- Profile number
- LI, GSY, PR (equivalent of number of plies)
- TWI
- Wear (progresive 1 with speed and temperature)
- REGLOOWABLE
- Inflation pressure
- Radius r static, r dynamic

Load index

Load index	Max. load (kg)						
50	190	68	315	86	530	104	900
51	195	69	325	87	545	105	925
52	200	70	335	88	560	106	950
53	206	71	345	89	580	107	975
54	212	72	355	90	600	108	1000
55	218	73	365	91	615	109	1030
56	224	74	375	92	630	110	1060
57	230	75	387	93	650	111	1090
58	236	76	400	94	670	112	1120
59	243	77	412	95	690	113	1150
60	250	78	425	96	710	114	1180
61	257	79	437	97	730	115	1215
62	265	80	450	98	750	116	1250
63	272	81	462	99	775	117	1285
64	280	82	475	100	800	118	1320
65	290	83	487	101	825	119	1360
66	300	84	500	102	850	120	1400
67	307	85	515	103	875		

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EXPERIMENTS OF TIRES ON "STATIC ADHESOR"

 Static loading max 2 t with hydraulic hand jack (1 t with manual)
Tire casing from R13 to R19
Tire width max 240 mm








STATIC ADHESOR







On the statical adhesor is possible to tests the tires from the radius of tire R13 to R18 and maximum width of tire-casing c. 245 mm. 76





Force:

Three force tensiometer (strain-gauge) sensors EMSYST EMS40 2.0kN

Deformation:

Linear potentiometer

and three Position inductive sensors with X-Y Recorder for orientation of force-deformation dependence

Data logger:

Data Logger System dataq DI-718B-US with three Strain Gage Input Modules DI-8B38 and one Potentiometer Input Modules DI-8B360

Software WinDaq/Lite for on-line data record on notebook.

Force accuracy: c. 100 N on 10 000 N

Position accuracy: c. 0.1 mm on 100 mm

Photo documentary by Canon EOS 600 D with objective and tripod

Jan KRMELA: Experiments and Computational Modelling of Tires, 2020 It is possible to obtain outputs as:

- Statical radius of tire;
- Radial deformation characteristic (dependence between radial force loading of tire and radial deformation);
- **Radial stiffness** (in radial force loading / radial deformation) in N/mm;
- Torsion (longitudinal) deformation characteristic (slip curve by twist moment);
- Torsion stiffness (in twist moment / rim angle) in Nm/° or longitudinal stiffness (in tangential force / tangential deformation) in N/mm;
- Contact patch footprint shape and size with contact pressure colour distribution in contact patch by special pressure FUJIFILM Fuji Prescale® indicating film (Ultra Low film LLLW, pressure range 2-6 kg/cm²);

At following main conditions:

- **Loading** (radial force, twist moment);
- Size of radial deformation;
- Inflation pressure (under-inflation, overinflated tire, specified and practiced pressure);
- Unevenness (shape, surface roughness, material) etc.



They are possible other measurements on static adhesor:

- contact pressure analyze by pressure FUJIFILM indicating film (distribution of contact pressure in contact area)
- statical torsion (longitudinal) stiffness with torsion deformation characteristic etc.

EXPERIMENTS OF TIRES ON "DYNAMIC ADHESOR"



Drum testing machine

A smooth surfaced, rotating drum with a diameter of 1705 mm is turned by an engine at the desired speed. The testing machine can simulate contact between the tire and the road with specified velocity.

The conditions relating to the use of the dynamic test machine:

- radial load of the tires up to the value of 500 kg,
- maximum speed is 180 km/h,
- test of the tires from the radius of R13 to R17 tire.

Part 3 – OUTPUT FROM EXPERIMENTS:

Load conditions of tires, Contact patch, Contact pressure, Pressure footprint analyses, Comparison winter with summer tires, Special graphs from dynamic tests, Static test of bicycle tire

RADIAL STATIC STIFFNESS

The new formula takes into account more real operating conditions during the loading of tires.

$$S = \frac{F_{(1.25 \cdot 0.75 \cdot LI)} - F_{(0.75 \cdot 0.75 \cdot LI)}}{x_{(1.25 \cdot 0.75 \cdot LI)} - x_{(0.75 \cdot 0.75 \cdot LI)}} [N/mm]$$

Where: S [N/mm] – radial stiffness;

 $F_{(1.25.0.75.LI)}$ [N] – vertical force for 125% of 0.75·maximum load; $F_{(0.75.0.75.LI)}$ [N] – vertical force for 75% of 0.75·maximum load; $x_{(1.25.0.75.LI)}$ [mm] – radial deformation for 125% of 0.75·maximum load ($F_{(1.25.0.75.LI)}$);

 $x_{(0.75.0.75.LI)}$ [mm] – radial deformation for 75% of 0.75 maximum load ($F_{(0.75.0.75.LI)}$).

Tires are loading approximately 75% of Ll. 85

RADIAL STATIC STIFFNESS

The **FINAL equation** for calculation of the values of radial stiffness from the experimental data was designed, which corresponds to operating conditions. The two points corresponding to 60 % and 100 % of LI (it is 0.8 multiple of load by the standard ČSN 63 1511) are used for obtain of stiffness by equation (1):

$$S = \frac{F_{(0.8\cdot125)} - F_{(0.8\cdot75)}}{x_{(0.8\cdot125)} - x_{(0.8\cdot75)}} = \frac{F_{100} - F_{60}}{x_{100} - x_{60}}$$

where

S [N/mm] = radial stiffness for the given inflation pressure,

 F_{100} [N] = vertical force for 100 % of LI,

 F_{60} [N] = vertical force for 60 % of LI,

 x_{100} [mm] = radial deformation for 100 % of LI,

 x_{60} [mm] = radial deformation for 60 % of LI.



Radial deformation [mm]

Experiments on static adhesor Data evaluation: 08/2010 Krmela

Light truck tire





Sample of contact area analyses: Area size 97,7 cm² Area in per cent from rectangle 37% Sample of contact pressure analyses: Gradation of colours Red = maximum (green, yellow) Blue = minimum

Non pressurex film only blue carbon paper 88

The software FPD-8010E by FUJIFILM (Fujifilm Pressure Distribution Mapping System for Prescale) for contact pressure analyses by FUJI Prescale® indicating film Software 4000 Eur (film patch ⇒ scan ⇒ analyses). Film only 300 Eur.



Sample: winter tire 165 R13 (= 165 / 82 R13)



Deformation of tire-casing of winter tire for 2.3 bar and load 530 kg

Extended pressure measurements - With extended pressure method, applied pressure is increased gradually up to the given level, anditwill be maintained continuosly at that level. In order to get the best and accurate results (and where it is possible and applicable), prefereably pressure should be applied gradually up to its highest value by a 2 minutes time basis, and it should be maintained at the highest level for other 2 minutes. *Momentary pressure measurements* - If necessary *Prescale Film* could be also used for impact pressure measurements, with application time depending from application itself. When possible (and where applicable) prefereably pressure should be applied gradually up to its highest magnitude by a 5 seconds time basis, and it should be maintained at the highest level for other 5 seconds.

Determining the pressure level and distribution

As explained, with pressure applied, Prescale Film turn into a several level of magenta color, whose intensity (density), is directly proportional

The Ultra Low Film Fuji Prescale® with exposure time 2 minutes and 30 seconds wa standard used for contact patch with contact pressure distribution.

- 1. Film type used (PSI of kg/cm²):
- **Ultra Low Film from roll**

28-85 PSI (2-6 kg/cm²)

2. Approximate exposure time:

- 2 minutes and 30 seconds
- 3. Approximate temperature: c. 16°C
- 4. Approximate humidity: $c. \le 20\%$

5. Experiment date:

6. Radial force loading 530 kg; Tire inflating pressure 2.3 bar (c. 33.4 PSI).



PRESSURE FOOTPRINT ANALYSES

The contact patch and contact pressure by FUJI film



Contact patch after measurement (left) and color "map" of contact pressure distribution after special analysis with color indicates precise PSI value (right) 4

Data information		X						
Sample Name	:	vranik_21_100_druha						
Examination Date & Time	:	2017-05-10 13:48						
Measurement Date & Time	:	2017-05-10 21:00						
Prescale Type	;	LLLVV						
Pressure Type	:	Continuous						
Resolution	:	0.125 mm						
Scanning Count (A4)	:	1						
Temperature	÷	21.00 °C						
Humidity	:	20 %						
Scanner Resolution	:	200 dpi						
User Load Value	:	none						
Remarks	:							
FPD8010 data file.								
OK								

Setup Conditions 🛛 🗙
Sample Name : Yranik_otmr10052017
Pressure Color Bar

✓ Information Displayi Image: Imag												
1	Pin Po i r	nt Aver	age A r	ea Siz	e 1>	d .	• (0)	016 mm2j)	🔽 Al Me	asure	ment Display
1	A	B	0	D	F	F	G	н			Γ ^{Pe}	ncil area —
	00	00	00	00	00	00	00	00				Save
						No.	W	nole	Partial	-	1-	
	Prescale Effective Rate(%) Pressed Area(mm2)					1		65.3		0.0		Load
						2		8002		0		Point
	Ave Pressure(MPa)				3		0.34		0.00		POINt	
	Max Pressure(MPa)				4		0.64	0.00			Edit	
	Load(N)					5		2705		0	-	
	Measured Area(mm2)					6		24735		0		Move

Me	Measurement 🛛 🔀										
Pi	✓ Information Display ✓ Image: Area Size Tat ✓ Image: Area Size Close(X) Pin Point Average Area Size Tat ✓ (0.016 mm2) ✓ All Measurement Display										
Г	A	В	С	D	E	F	G	Н			Pencil area
	00	00	00	00	00	00	00	00			Save
						No.	W	nole		Partial 🗾 👻	
	Pre	scale E	ffectiv	e Rate((%)	1	84.2			0.0	Load
		Presse	ed Area	a(mm2)		2	8167			0	Desiret
		Ave Pr	ressure	e(MPa)		3	0.35			0.00	Politic
Max Pressure(MPa)						4	0.64			0.00	Edit
			.oad(N)		5	2858			> 0	
	Measured Area(mm2)							2375	55	0	Move.











100% loading = **475 kg**







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Tire Matador 165 / 65 R13

Output data / Inflation pressure	1.8 bar	2.5 bar
Radial deformation for 100% LI = 412 kg [mm]	27.0	22.5
Value of radial stiffness [N/mm]	153	185
Size of contact patch [mm ²]	11 820	10 125







The contact patch and contact pressure by FUJI film



Contact patch after measurement for 2.5 bar (left) and colour "map" of contact pressure distribution after special analyse with colour indicates precise PSI value (right)
Experiments of tire 245/40 R18 on test machine. EXTRA LOAD !!!!!!

The tire has maximum tire pressure 3.5 bar and maximum load 730 kg (signs on tire-casing). But tire is necessary inflation pressure for concrete car e.g. requirement is 2.6 bar which is only c. 75% of maxima tire pressure. The maximum load is not 730 kg for this pressure but only 670 kg as load index (Ll marking) by technical databook. Next e.g. for 2.9 bar maximum load is 730 kg. History of deformation process of tire near contact patch during loading for inner pressure 2.6 bar is on the Fig.



125% of LI	100% of LI
Load: 836 kg	Load: 673 kg
Radial deformation: 28.3 mm	Radial deformation: 22.6 mm
Tire pressure: 2.6 bar	Tire pressure: 2.6 bar
Contact area: c. 17950 mm ²	Contact area: c. 14800-15800 mm ²
100 mm	100 mm

The radial stiffness by Eq. (standard) is 280 N/mm and by Eq. (new) is 270 N/mm that is better for description of real state of tire loading.







Continental 225/50 R17 Matador 165/70 R13 Bridgestone 205/55 R16

comparison



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Character of deformation

Deformation of the tire-casing 165/70 R13 in contact with the surface plate was recorded during the experiment.

The deformation of tire-casing for 100% of LI is c. 21.5 mm.

Deformation of the tire-casing 205/55 R16 for 100% of LI is 26.5 mm.

The tire 225/50 R17 has deformation equal c. 25.0 mm for 100% of LI.

Deformation of the tire casing 205/55 R16



Deformation of the tire casing 225/50 R17





0 % of LI Start of experiment



75 % of LI Deformation is 16.4 mm



100 % of LI Deformation is 22.5 mm



125 % of LI Deformation is 27.5 mm

165 / 65 R13 Deformations of the tire-casing for 240 kPa by static experiment







The radial stiffness of tire 165/70 R13 is c. 185 N/mm. The value of the stiffness for tire 205/55 R16 is 251 N/mm. The tire 225/50 R17 has stiffness c. 240 N/mm.



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Contact patch with distribution of contact pressure by indicating film analysis for tire 205/55 R16 for 50% of LI and 2.3 bar







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Radial deformation characteristics for different inflation pressures – verification analyses between computations and experiments



The laboratory with **statical adhesor** for measurement of tires **is complexly laboratory** at Slovak university which enabling on-line measurements and evaluation all outputs from experiments of tires **for passenger cars**.

In future in contemplation test machine will next innovation in special pressure system and construction design of adhesor for quasi-dynamically tests of tires (only low velocity). Maximum of vertical loading on the static adhesor is c. 2 000 kg. Some tires with low load index (e.g. tire 165/70 R13 where maximum load LI is only 412 kg) are possible to test from 0 to 240% of LI and those tires for small car can be overloaded with great deformation. Low-profile tires with maximum load index c. 102 are possible to test on the static adhesor.

The knowledge about contact patches and contact pressures is necessary for verification analyses between experiments and computations of tires by Finite Element Analyses.



(d) Camber angle 10° (e) Camber angle 12° (f) Camber angle 15°









(24) Maxxis High Roller 26x2,50

Určenie- zjazd Dezén- jednosmerný, 90% stav Mat. pätky- oceľ Mat. textilnej výstuže- Nylon Prevádzkový tlak- 250 - 450 kPa Max. zaťaženie- neznáme Krajina pôvodu- Taiwan TPI- 60 Poznámka- zmes gumy Super Tacky, butylová výstuž bočnice

Atramentový odtlačok

Tlak- 180 kPa Zaťaženie- 70 kg

Bicycle tires was tested at three different inflation pressures **180. 280 and 380 kPa**



Load: 200 kg Inflation pressure: 180 kPa Deformation: 27.8 mm

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The radial stiffness of bicycle tire for given inflation pressures

Pressure (kPa)	Radial stiffness (N/mm)
180	84.0
280	96.5
380	120.0

The determined values of the radial stiffness of the tire very depending on inflation pressure of tire.





With the application of a pressure sensitive film is able to analyze the contact pressure distribution, which is in color spectrum

Distribution of contact pressure in the contact patch by inflation pressure

180 kPa and load 100 kg

EXPERIMENTS OF TIRES ON "DYNAMIC ADHESOR"



The tire inflation pressures used for dynamic experimental testing at different velocities of 0, 30, 60, 90 and 120 km/h were 160 kPa (underinflated tire), 180, 205, 215, 230, 240, 250, 260, 280 kPa, and the maximum inflation pressure 300 kPa.



radial deformation characteristics WITH LINES OF CONSTANT DEFORMATION for different inflation pressures



Radial deformation [mm]






radial deformation characteristics: COMPARISON BETWEEN STATIC AND DYNAMIC EXPERIMENTAL DATA

The radial deformation characteristic for inflation pressure of 160 kPa and velocity of 120 km/h from the dynamic adhesor is conformable to the radial deformation characteristic for the same inflation pressure from the static adhesor. In addition, the radial deformation characteristic for inflation pressure of 240 kPa and velocity of 120 km/h from the dynamic adhesor is conformable to the characteristic for the same inflation pressure of 240 kPa from the static adhesor.

Radial stiffness				Velocity	y [km/h]		
[[N/mm]	0	30	60	90	120	S0*
	160	128.0	130.7	132.2	135.1	136.5	142.1
a	180	139.2	140.0	141.0	143.5	144.2	
[kP:	205	150.6	153.6	155.0	155.8	158.6	
Ire	215	157.9	160.6	160.8	163.6	164.1	
essu	230	166.6	168.8	169.9	170.8	171.8	
pre	240	171.4	173.1	175.3	176.6	182.3	177.5
tion	250	179.9	181.6	185.9	188.4	190.4	
ıflaı	260	185.4	188.2	190.5	193.6	195.4	
Ir	280	191.9	197.6	199.3	201.5	204.6	
	300	205.5	206.8	207.5	207.6	212.3	

Values of radial stiffness for different velocities and inflation pressures of tire

* S0 - static adhesor (velocity 0 km/h), only for pressures 160 and 240 kPa



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Dependence of radial stiffness on inflation pressure of tire for different velocities 147

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Dependence of radial stiffness on velocities for different inflation pressure of tire **148**

Main output:

STIFFNESS for different velocities and inflation pressures



Prediction of radial stiffness

The radial stiffness can be predicted on the basic of results of radial stiffness obtained from experiments. The radial deformation characteristics can be transformed into the dependences of vertical force parameter on radial deformation The vertical force parameter is calculated by equation:

$$y = \frac{100 \cdot F}{p + A \cdot p_r} [N/kPa]$$

Where:

y [N/kPa] – vertical force parameter,

F[N] – vertical load force,

p [kPa] – inflation pressure of tire,

A[1] - constant depended on specified velocity,

 p_r [kPa] – rated (current) inflation pressure of tire and for tested tire, p_r is 240 kPa.



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The A constant is 0.24 for tire 165 / 65 R13 and velocity is 0 km/h. The A constants for velocities of 30, 60, 90 and 120 km/h are shown in figure. The linear regression has been calculated for the vertical force parameter and radial deformation for specified tire:

 $y = 56.3 \cdot x [N/kPa]$

Where:

x [mm] – radial deformation.

Then, the values of radial stiffness can be predicted for given velocity and inflation pressure by equation:

 $S_{pv} = 56.3 \cdot (p + A \cdot p_r) \cdot 100 \text{ [N/mm]}$

Where:

 S_{pv} [N/mm] – predicted static radial stiffness for the different velocities and the inflation pressures.

If velocity increases about one km/h that constant A increases about one thousandth, e.g. for velocity 100 km/h the constant A is 0.24 plus 0.1, therefore this constant A is 0.34. Similarly, constant A is 0.42 for velocity 180 km/h etc.

The values of radial stiffness calculated are shown in Table. The average error of the values of radial stiffness from experiments in comparison to the values of predicted radial stiffness is less than 1.9 %. The maximum error is 4.7 %.

Values of predicted radial stiffness for different velocities and inflation pressures of tire

Radial stiffness		Velocity [km/h]							
	[N/mm]	0	30	60	90	120			
	160	122.7	126.8	130.8	134.9	138.9			
Inflation pressure [kPa]	180	134.0	138.0	142.1	146.1	150.2			
	205	148.1	152.1	156.2	160.2	164.3			
	215	153.7	157.8	161.8	165.9	169.9			
	230	162.2	166.2	170.3	174.3	178.4			
	240	167.8	171.9	175.9	180.0	184.0			
	250	173.4	177.5	181.6	185.6	189.7			
	260	179.1	183.1	187.2	191.3	195.3			
	280	190.4	194.4	198.5	202.5	206.6			
	300	201.6	205.7	209.8	213.8	217.9			

The inflation pressure has much more influence on the change of radial stiffness in comparison to the velocity. When the tire is in a rolling motion, the radial stiffness of the tire is higher in comparison to the tire which is in the stationary position (dynamic experiments for velocity of 0 km/h).

Then estimate of predicted stiffness is possible for other velocities (e.g. stiffness value is 192.2 N/mm for velocity 180 km/h and pressure 240 kPa) and other pressures (e.g. stiffness value is 201.0 N/mm for pressure 270 kPa and velocity 120 km/h).

Some of experiments with utilization of the dynamic adhesor with drum can be replaced by experiments with utilization of the static adhesor on the plane surface or some of experiments with utilization of the static adhesor can be replaced by experiments with utilization of the dynamic adhesor. The laboratory with **statical adhesor** for measurement of tires **is complexly laboratory** which enabling on-line measurements and evaluation all outputs from experiments of tires **for bicycle and passenger cars**.



$$S = \frac{F_{(0.8\cdot125)\% \text{ of LI}} - F_{(0.8\cdot75)\% \text{ of LI}}}{x_{(0.8\cdot125)\% \text{ of LI}} - x_{(0.8\cdot75)\% \text{ of LI}}} = \frac{F_{100\% \text{ of LI}} - F_{60\% \text{ of LI}}}{x_{100\% \text{ of LI}} - x_{60\% \text{ of LI}}} [\text{N/mm}]$$

Part 4 – EXPERIMENTS OF TIRE PARTS: Preparation of test samples, Tensile load, Bend load, Character of deformation, Outputs from tests



PLAN OF EXPERIMENTS							
Activity name / time - year	2007	2008		2009		2010	
Study literature, information	х						
Test specimen's preparation for experiments	х	x	х	х	x	х	
Tests of specific statically characteristics of whole tires - deformation characteristics and pressure measurement	x	x	x	x	x	x	
The corrosion tests in a corrosion chamber	x	x	x	x	x	x	
The statically tests of structure parts of tires							
- tensile tests	х	x	x	x			
 tests under combined loading states 				x	x	x	
Hardness tests according to SHORE A method	х	x	x	x	x	х	
Tests of resistance to aggressive surroundings and wear tests	x	x	x	x	x	x	x
The microscopy observation of							
- the interfaces between steel-cord and elastomer	х	x	x	x	x	x	
- the interfaces after failure after corrosion test		x	x	x	x	x	x
The computational modelling of strain-stress analyses of							
- tires	х	x	x	x	x	x	
- parts of tires		x	x	x	x	x	
The evaluation and analysis of obtained results from experiments	x	x	x	x	x	x	x
The verification analysis and confrontations of outputs from computations	x	x	x	x	x	x	x
The confrontations of outputs from microscopy observation	х	x	х	x	x	х	x
The publishing of obtained results	х	x	х	х	х	х	х

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Planned experiments

- •Which test? tensile/bend/...
- •Why test (purpose)? E, stress-strain, force-deformation
- •Which standards? ASTM, ISO, ...
- •Which test machine? universal test machine,
- •Geometry parameters of specimens (by standard or must be design)? Width, lengh, shape, ...
- •Number of specimens?
- •Parameters of test? loading speed, ...
- •Outputs from experiments for computational modelling?

Elastomer Standards: ČSN 640605 or ISO 37 (2005) ISO 527-1 and ISO 527-2, or ASTM D638



Elastomer – type tests / standard	ASTM (American Society for Testing and Materials – USA normy)	ISO
Clash-Berg Modulus	ASTM D1043	ISO 815
Compression Set	ASTM D395	ISO 37
Elongation at Break	ASTM D412	
Elongation at Yield	ASTM D412	
Elongation Set After Break	ASTM D412	
Tear Strength	ASTM D624	ISO 34-1
Tear Strength, Split	ASTM D412	
Tensile Set	ASTM D412	
Tensile Strength at Break	ASTM D412	ISO 37
Tensile Strength at Yield	ASTM D412	ISO 37
Tensile Stress at 100%	ASTM D412	ISO 37
Tensile Stress at 200%	ASTM D412	ISO 37
Tensile Stress at 300% (E 300 %)	ASTM D412	ISO 37
Tensile Stress at 50%	ASTM D412	

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Composites

Elastomer – typ zkoušky / Norma	ASTM			
Mass per unit area of prepregs	BS EN ISO 10352: 1997			
Resin flow of pre-impregnates	ISO 15034			
Analysis of uncured sample by DSC	BS EN ISO 11357			
Degree of cure by DSC	BS EN ISO 11357			
Gel time	ISO 15040			
Test panel manufacture	ISO 1268: 1974			
Test and conditioning atmospheres	BS EN ISO 291: 1997			
Tensile - unidirectional	BS EN ISO 527-5: 1997			
Tensile - multidirectional	BS EN ISO 527-4: 1997			
Compression - unidirectional	ISO 14126			
Compression - multidirectional	ISO 14126			
Shear : 45 degree tension	BS EN ISO 14129: 1998			
Shear modulus : plate twist	ISO 15310			
ILSS : through thickness	BS EN ISO 14130: 1998			
Flexure	BS EN ISO 14125: 1998			
Mode I fracture toughness	ISO 15024			
Fatigue	ISO 13003			
Creep testing	ISO 899			
Moisture uptake/conditioning	ISO 62			
Effect of water/moisture	ISO 62/175			
Effect of chemicals	ISO 175			
Effect of heat ageing	IEC 60216			

Laminate

Tensile Test Methods					
ASTM D 2020	Tensile Properties of Polymer Matrix Composite Materials				
ASTIN D 5059	Specimen Type: Rectangular, with tabs				
ASTM D 629	Tensile Properties of Plastics				
ASTIVI D 030	Specimen Type: Dumbbell				
	Plastics - Glass-Reinforced Materials - Determination of Tensile Properties				
ISO 3268	Specimen Type: Type I Dumbbell				
	Type II Rectangular, no tabs				
	Type III Rectangular, with tabs				
	Tensile Properties of Oriented Fiber-Resin Composites				
SACINA SRIVI 4	Specimen Type: Rectangular, with tabs				
SACMA SRM 9	Tensile Properties of Oriented Cross-Plied Fiber-Resin Composites				
	Specimen Type: Rectangular, with tabs				

steel cord belt ply of tire



-45°

The samples must have different:

- Angle of cord (with respect of the direction of loading – not only longitudinal and transverse orientated samples);
- Material of cord (surface treatment);
- Form of cord (wire, thin wire);
- Number of layers (single-layer, two-layer, multilayer);
- Specimen width, shape etc.

	9 - 1 5 - 1	
	1 3	

designed multi-layer test samples with different wide 10, 15 and 25 mm and of length 120 mm. The cord-angle orientations in single-layer specimens are 0°, 22.5°, 45°, 67.5° and 90°. Two-layer specimens are symmetrically orientated between top/bottom layer $\pm 22.5^{\circ}$, $\pm 67.5^{\circ}$, $\pm 45^{\circ}$ and asymmetrically orientated with cord-angles $\pm 0^{\circ}/-45^{\circ}$ and $\pm 67.5^{\circ}/\pm 22.5^{\circ}$ (it is $\pm 22.5^{\circ}/-112.5^{\circ}$, specimen D) with thickness 4 mm.

cutting machine with abrasive water jet (AWJ) technology



Geometrical parameters of sample

```
length .... 120 mm
wide ..... 10, 15 and 25 mm.
```

Also must be determined conditions for individual type of tests:

- Statically tensile tests (uniaxial and biaxial);
- Statically bend tests;
- Statically tests of composites under combined loading states (combinations tensile with bend) - that are to be approximated tire real state during tire operational loading (predicate about real deformation behaviors of steel-cord belt plies);
- Corrosion tests in a corrosion chamber (exposition time);
- Dynamically test etc.

Test condictions

- Tensile Initial length between the jaws of the testing machine is 92 mm;
 - Elongation measured on the same length and also measured on 50 (or 25 mm) in centre of specimens;
 - Rate of test is 10 or 25 mm/min.
- Bend tree-point;
 - distance between end points 50 mm.



One layer versus two layers



symetrical

Asymmetrical

Failure of two-layer symmetrical ±22.5° and asymmetrical specimens +67.5°/+22.5° (right) after tensile test







Tensile test.





SIMPLE TYPES OF LOADING



Illustration of tension/shear/bending coupling effects which are observed in cord/nubber 173 laminates.

EXPERIMENTS OF PART OF TIRE CASING



The tire casing was cut by water jet cutter in longitudinal and transverse direction in order to obtain the specimens from the whole undertread reinforcing area of the casing. The specimens were prepared with different width and it was 10, 15 and 20 mm.

The static tensile tests and bend tests were performed for the specimens in an with standard agreement specifications and it was with the aim to obtain modulus of elasticity for different directions of configuration of specimens.





Specimens - cuttings in longitudinal direction (up) and transverse direction (down) with different width, prepared for performance of the tensile and bend tests

The main purpose of the research was to determine the required materials parameters for the reinforcing layers in relation to selected casing which is designated as 245/40 R18 type. The chosen tire casing was cut by water jet cutter in longitudinal and transverse direction in order to obtain the specimens from the whole under-tread reinforcing area of the casing. The specimens were prepared with different width and it was 10, 15 and 20 mm. The static tensile tests and bend tests were performed for the specimens in an agreement with standard specifications and it was with the aim to obtain modulus of elasticity for different directions of configuration of specimens.





The conditions of the tensile tests were:

- Starting value of length between clamps of test machine was 100 mm;
- Elongation measured on the same length;
- Loading speed was 10 mm/min.

The conditions of the bend tests were:

- The value of distance between outside points was 50 mm;
- The loading speed was 5 mm/min



Specimens in radial direction with and without tread after bending loading



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Specimen No.	Steel –cord belt accordant with the tire	Cord-angle [°]	Specimen geometry width x thickness [mm]
1	165 R13	±23°	14.3 x 2.4
2	235/65 R17	±32°	14.0 x 1.0
3	MATADOR unspecified	±23°	14.0 x 1.5
4*	not from real tire	±23°	14.3. x 4.5
5	BARUM unspecified	±31°	14.0. x 1.0

The concrete initial conditions which were used – speed of loading is 10 mm/min and initial length of specimen between brackets of tensile test machine is 80 mm.



Specimens after tensile tests



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METHODS FOR DETERMINATION OF MODULUS OF ELASTICITY

As the first method we have selected a method based on 0-8% strain. Principle of the method consists in calculating the value of 8% strain of the specimens. From intersection of the graph we read the values for applied force for given strain and these values insert into the equation for calculating modulus of elasticity.

Other methods are similar, but we change the values of the strain of 4-8%, 0-10% and 4-10%. The last method is based on reading values of strain of linear part of graphs. The strain into tires is moving between 0-10%. By reason of the most accurate determination of modulus of elasticity we suggested just these computing methods.

$$E = tg\alpha = \frac{\sigma}{\varepsilon} = \frac{F \cdot l}{\Delta l \cdot S} = \frac{\left(F_n - F_0\right) \cdot l}{\left(l_n - l_0\right) \cdot S} \left[\text{MPa}\right]$$

Where:

E [MPa]..... the modulus of elasticity;

 σ [MPa] the stress;

 ϵ [%] the strain;

F [N] the tensile force applied to the specimen;

1[mm] the initial length of the specimen between brackets of tensile test machine;

S [mm²] the initial cross-section area of specimen;

- Δl [mm] the length through which the specimen is elongated amount;
- F_n[N] ending tensile force for concrete method;
- F_o[N] starting tensile force for concrete method;
- l_n [mm] ending elongation for concrete method;
- l_o [mm] starting elongation for concrete method.

Specimen No.	Methods start – end of strain [%]	E [MPa]
	0 - 8%	225.8
1	4 - 8%	218.5
	0-10%	223.1
	4 - 10%	233.1
	linear part	265.4
	0 - 8%	55.4
	4 - 8%	53.6
2	0-10%	58.6
	4-10%	59.5
	linear part	200.0
	0-8%	357.1
	4 - 8%	380.9
3	0-10%	380.9
	4-10%	412.6
	linear part	1 023.1

Final modulus of elasticity for specific tire composite structure specimens

	0-8%	109.2
4	4 - 8%	65.5
	0-10%	101.3
	4-10%	67.0
	linear part	64.0
5	0-8%	106.7
	4 - 8%	151.7
	0 - 10%	160.7
	4-10%	154.7
	linear part	295.2

From the results was the task as precisely as possible the method for determination of the modulus of elasticity, which is suitable for other specimens of steel-cord belt configurations.

Because of nonlinear character given depending, force-deformation dependences, we have identified several methods that we consider most appropriate for determination of modulus of elasticity. The comparing of the results of modulus of elasticity obtained by individual methods between the specimens, we concluded that the most appropriate method to calculate of modulus of elasticity of steel-cord belts is a method based on determination of the modulus of elasticity of 4-8% elongation.



The photographic documentation showing the geometric configuration of reinforcing cords in steel cord belts and tirecrown was supplied in order to obtain accurate geometric data which were needful for computational modeling of the given steel cord belt.

The software IMPOR 5.0 with plug-in ObjectMeasuring is used for image analysis.

The geometric parameters of the reinforcements of tlre-casing 245/40 R18 in place end of steel-cord belts are showed on the Figure 6 on the left and schematic structure in the center of the tread is on the right. The EPM of textile cap ply is 800÷900 m⁻¹.



PHOTOGRAPHS ANALYSES





GEOMETRY in

the tire-crown

PHOTOGRAPHS ANALYSES







textile cord



MICROSCOPY OBSERVATION

steel cord





Composite structure parts of tire	Steel cord belt	Textile belt	Textile carcass
Number of layers [-]	2	1	1
Thickness of layers [mm]	2x0.98	1.28	0.92
Diameter of cords [mm]	0.62	0.69	0.49
Construction of steel cord belts	2x0.30		
Distance between middles of steel-cords in top and bottom layers [mm]	1.00÷1.14 1.07		
Spacing between middles of cords in layer [mm]	1.09 for top layer 1.09÷1.15 for bottom layer	0.90÷1.50 1.09	
Number of steel-cords per decimeter width of one steel-cord belt layer (plumb on cords) [10cm ⁻¹]	920 for top layer 920÷960 for bottom layer		
Distance between middles of steel-cords in top layer of steel-cord belt and middles of textile cords in textile belt [mm]	$0.69{\div}0.97$ 0.84		

Dynamic test DMA

Experimental tests were performed in order to obtain material characteristics and parameters of the selected parts of the tire casing as important material inputs into the calculations for verification and analysis of computer models with experimental data.

Samples were prepared from treads, alluvial mixtures and sidewalls of tree variously aged tire casings.

Dynamic DMA tests were performed on PYRIS Diamond test device from Perkin Elmer in the temperature range from -70 to 110 °C at frequency 1 Hz.



Dependencies of dynamic modules of elasticity from temperature obtained from DMA tests



Dependency of elastic modulus E* of treads from temperature

Dependency of modulus E* of alluvial mixtures from temperature

From the dependencies of elasticity were calculated.

Sample	E 05 (mid. aged) [MPa]	E 17 (oldest) [MPa]	E MP44 (new) [MPa]
Tread	5.34	11.22	20.07
Sidewall	1.02	1.52	0.65
Alluvial mixture	2.73	2.01	1.34

Values of E of the samples at temperature 20 °C

Values of dynamic modulus E* at 20 °C

Sample	E [*] 05 (mid. aged) [MPa]	<i>E</i> [*] 17 (oldest) [MPa]	<i>E[*]</i> MP44 (new) [MPa]
Tread	72.70	18.21	86.74
Sidewall	21.06	13.98	33.01
Alluvial mixture	34.79	19.70	33.01

IRHD hardness tester the hardness of the selected variously aged tire casing parts was determined.

Sample	<i>IRHD</i> MP44 (new) [-]	IRHD 05 (mid. aged) [-]	<i>IRHD</i> 17 (oldest) [-]
tread	72.83	73.50	79.33
sidewall	43.17	56.67	65.00
alluvial mixture	44.00	51.50	62.17

Values of IRHD hardness

From the dynamic and static experiments modules of elasticity of tread, sidewall and alluvial mixture samples were determined and compared. The results show that the dynamic modules have much higher values than the static ones.

From the results of the IRHD hardness test can be clearly seen that hardness increases with age. This is most significant in the results for tread samples. From all of the results can be concluded that the oldest tire casing is significantly degraded.

Part 5 – DEGRADATION PROCESSES:

Degradation, Limit state, Corrosive test, Outputs from tensile tests, Microscopic evaluation of interaction of the cord – rubber (elastomer)



The part deals with experimental study of the adhesive bond between a steel-cord and non-linear matrix upon failure after corrosion test. The corrosion causes birth of dangerous delaminations on steel-rubber interface. Therefore, is necessary to deal with adhesive bond upon failure into microlocality. For experiments was used metallography observation and statically test for analyses of uniaxial stiffness. The obtained results from experiments will be used namely to computational modeling of steel belt of tire.

The knowledge about experimental modeling of tire from macrostructure and microstructure are necessary for computational modeling. The essential factor expressive influence on coherence of whole tire, are good adhesive bonds between reinforcement materials and rubber parts of tire.



The tire steel-cords are exposed to various chemical and thermal influences during cyclic loading states by tensile-compression in tire loading processes.







The adhesive bonds are affected by internal impacts (inserted during production, mounting) and external impacts (operating conditions, surrounding conditions etc.) or their interaction. It can be caused degradation on reinforcement-matrix adhesive bond. The degradation leads to failure into whole macro volume of tire. What isn't admissible from safety aspect of vehicle



Bond between steel-cord and rubber

⇒ take in computational model

Microscopy with 100x-200x zoom

The light microscope was used for metallography observation of the adhesive bond between steel-cord and rubber upon failure after corrosion test in corrosion chamber under extreme conditions and statically tensile test. Together with metallography are performed experimentally analyses of uniaxial stiffness for using the obtained results for computational modeling. The selected samples of onelayer steel-belt of tire are effected to experiments. The reinforcement is wire form with radius 0.94 mm with surface treatment of cords.



Rubber drift

In addition if the tire is in use is defected in tire crown (e.g. defect caused by sharp object as a nail and after the repair is placed back into operation) the initiation of corrosion with faster process is being assumed. Consequently this can lead to gradual or sudden failure of the steel-cords and bonds of steel-cord and rubber with a serious car accident as a final consequence.

Any damage in the area of tire crown, namely into steelcord belt, is perilous.

Tires are subject to internal and external effects which can more or less cause limit states leading to degradation processes.

The corrosion causes formation of oxides on steel-cord and rubber interface. The oxides accelerated of birth of dangerous delaminations after uniaxial test and so providing that fitting surface treatment of tire cords



The oxide film is strongly affected on failure of adhesive bond which show comparison between test sample without corrosion only tensile loading and test sample after corrosion test together tensile test by tensile force in dependence on elongation. The tensile stiffness descended more than half in consequent on failure







Exposed steel cords

Extreme wear of tire on tread surface

"Cords working-up"



Tire life is affected by many factors (e.g. manufacturing way of a tire, its operation and handling, storage conditions of base materials for tire production etc.) while it's assumed an ideal adhesive bond among the rubber elements in matrix (e.g. an interface between tire tread and textile overlap belt) and the cord reinforcing and rubber drift inside tire carcass, and belts is assumed in this cases. For long life tires must resist during operating to surrounding effects, to negative effects of operation and to other effects, which could lead to wear and degradation processes as are e.g. delaminations.

Tires must resist during operating to surrounding effects, to negative effects of operation and to other effects, which could lead to wear and degradation processes as are e.g. delamination.



Resistance to the following effects is considered:

- Puncture capability of tires to resist puncture by sharp objects;
- Cut-through capability of tires (especially of the tread and sidewall) to resist contact with sharp objects;
- Breakdown capability of tires to resist damage during short-term loading by concentrated forces;
- Fatigue capability of tires to resist material fatigue and defects in consequence of repeated loading cycles;
- Separation and delamination capability of structural tire components to maintain integrity of the system during operation;
- Humidity tire elements must be able to resist degradation by contact with water;
- Ozone influence capability of tires and of theirs components to resist degradation caused by ozone present in atmosphere;
- Temperature tire components must be able to resist high and low ambient temperatures and also consequences of contact with the road;
- Chemicals capability of tires and theirs components to resist degradation caused by chemicals (in winter – influence of salt solutions);
- Corrosion processes capability of tire reinforcing cords to resist corrosion, etc.





CORROSION TEST The corrosion chamber

500 hour by temperature 70°Celsius in saline application 5% authors note: such extreme conditions should not ever appear in tire operations if proper conditions are kept





Steel-cords are exposed to various chemical and thermal influences \Rightarrow <u>corroding process</u> \Rightarrow adhesive bonds between cord-elastomer are <u>damaged</u> \Rightarrow










CORROSION TEST + tensile test



Fig.1. Specimens of steel-cord belt after failure with details of fracture area.





Microscopy with 100x-200x zoom

Corrosion processes on cord surfaces is very dangerous!







It is necessary to prepare of samples for microscopy observation of structures so that the samples included different:

- Form of cord;
- Geometrical configurations and number of layers;
- Level of corrosion impact of steel-cords adhesive bonds (without corrosion, easy corrosion, after corrosion test behind extremely conditions).

For selected cords were accounted:

- Uniformity of layer of rubber drift on cord surfaces;
- **Surface treatment** of cords;
- Interface between cord-rubber matrix after tire production;

Structural change into microlocality of cord-rubber after corrosion.



WIRE after production



Good adhesive bond between wire steel cord 2+2×0.28 mm (cord consists of 4 filaments) and rubber after tire production (without corrosion)





WIRE – after extreme corrosion



MICROSCOPY OBSERVATION

Detail of cord after extreme corrosion



THIN-WIRE – after production



Good adhesive bond between thin-wire steel cord 0.94 mm and rubber drift after tire production (without corrosion)







Damaged adhesive bond between thin-wire steel cord 0.94 mm and rubber drift after corrosive attack (with extreme corrosion and tensile loading) with detail of oxide on cord surfaces



extrémní korozní napadení



- On the base of corrosion tests is possible note:
- Arise of uniform surface corrosion;
- Fragility and hardness of corrosive layer;
- Quicker grow of oxides near cord surfaces;
- Fracture of oxide layer;
- Quality of cord-surfaces and surface treatment of cords with respect to corrosion attack;
- Decreased of material characteristics of steelcord belt on the basic of tensile tests.

- Any damage in the area of tire crown is perilous.
- If extreme corrosion on cords then cord surface treatment lost function of corrosive protection.
- If cords are with corrosion then adhesive bonds between cord-rubber matrix are damaged and safety of steel-cord belt plies and also tire is decreased.
- For predication of damaged belt ply is possible used combination of computational with experimental modeling.

On the basis of experiments of tested samples from tire are lost their mechanical and physical properties in exposition to critical corrosion loading. Whereby these property losses are lead to decrease suitability of tires in operation namely where tires are exposed to heavy duty and also where small initiation can be caused one wire cord burst or steel cords burst into concrete part of tire or whole tire disruption.



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Computational models of belt:

- Without adhesive bonds including (it is model reinforcementmatrix);
- With adhesive bonds including (it is model reinforcementadhesive bond-matrix) – adhesive bonds will be included influence of corrosion attack, drift rubber and surface treatment of cords. Then this model based on higher level knowledge with inclusion of all necessary input data.

It is necessary take into consideration:

- Adhesive bond cord-rubber;
- Matrix relations with reinforcing cords;
- Non-uniformity in cord location on cross-section of steel-cord belt.

Part 6 – COMPUTATIONAL **MODELLING OF TIRE:** FEA by program ANSYS, Parts of tire, Elastomer, **Determination of Mooney-Rivlin** parameters, Comparison of experiment results with simulation results of tire parts



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For creations of computational models of tires it is necessary to have good knowledge about:

- Complete tire geometry parameters,
- Structure of tire-casing from macrostructure point of view,
- Number of composite layers and their geometrical configurations (namely thickness),
- Construction of steel-cord belt which are used into tire (as angle and number of cords per meter width of belt layer),
- Construction and material of cords into tire (with specification of construction),
- Material parameters of elastomer matrixes and cords as reinforcements,
- Complete loading conditions (as inflation pressure into tire, loading force, shape of unevenness) etc.

For creation computational models of parts of tires (as model of belt layers of tires) it is necessary to have next knowledge about:

- Microstructure of interface between cords elastomer after tire production (by microscopy),
- Surface treatment of cords (as thickness of surface),
- Uniformity of layer of elastomer drift on cord surfaces (as adhesive bond),
- Next e.g. structural change into microlocality of steel-cords

 elastomer after degradation process as corrosion attack.





Before I start two explain these enveloping models I will give overview of other, different enveloping models.

As already explained the point contact model is not able to describe the tire behaviour correctly. No lengthening of the response and no swallowing of obstacles.

The rigid roller model is able to lengthen the response, but is not able to swallow obstacles.

The major problem of the fixed footprint model and the radial spring model is that there is no connection between adjoining springs, i.e. there is always a continues contact patch.

All other models, the radial-interradial spring model, the flexible ring model and the finite element model are able to describe the tire response rather well. The computational effort is however very large.

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Fig. 5. Procedure for generating tread meshes (no need of the transition mesh for the full tread mesh).

Fig. 4. 3D tire meshing process considering the detailed tread blocks.



Fig. 10. 3D tire model with partial tread mesh: (a) before assembling; (b) after assembling.



GEOMETRICAL AND MATERIAL PARAMETERS of matrixes and

reinforcements into tire 165/65 R 13 (on the basic on measurement into cross-section by author)

Compo	Composite structure parts of tire		Steel-cord belt	Textile overlap belt	Textile tire carcass
Geometrical parameters	Number of layer [-]		2	1	1
	Thickness of layer [mm]		0.95	0.80	0.95*
	Cord	Diameter [mm]	0.60	0.40*	0.48*
		Cord-angle [°]	±23	0	90
		Texture [m ⁻¹]	961	420*	1160
		Spacing between cords ** [mm]	1.04	2.38*	0.86*
		Volume of cord in whole layer [%]	28.6	6.6*	21.6
Material parameters	Stress modulus for matrix E [MPa]		12	<mark>2</mark> 1*	12
	Poisson ratio for matrix $ u$ [-]		0.4995	0.4995	0.4995
	Stress modulus for reinforcing E [MPa]		180 000	11 000	3 400
	Poisson ratio for reinforcing v [-]		0.3	0.66	0.4

* – only orientation value; ** – spacing determined by texture.

Mooney-Rivlin parameters for elastomer parts of tire.

Mooney-R	ivlin parameters	C10 [MPa]	C01 [MPa]
Tread		0.417	0.519
Inner liner		0.109	0.259
Bead elastomer		0.692	0.371
Sidewall with Tre	ad side edge	0.532	0.065
Bead bundle		-0.111	1.945
	for steel-cord belt	0.638	0.284
Elastomer drift	for textile overlap belt	0.548	0.112
	for textile tire carcass	0.328	0.119

M-R parameters

$$\sigma = 2 \cdot \left(\lambda - \frac{1}{\lambda^2}\right) \cdot \left(C_1 - \frac{C_2}{\lambda}\right) \Longrightarrow \frac{\sigma}{2 \cdot \left(1 - \frac{1}{\lambda^3}\right)} = C_1 \cdot \lambda + C_2$$

$$Y = A \cdot X + B \Leftrightarrow \frac{\sigma}{2 \cdot \left(1 - \frac{1}{\lambda^3}\right)} = C_1 \cdot \lambda + C_2 \qquad Y = C_{10} \cdot \lambda + C_{01}$$

$$\sigma = \left(C_{10} \cdot \lambda + C_{01}\right) \cdot 2 \cdot \left(1 - \frac{1}{\lambda^3}\right)$$
 Lambda λ = Epsi + 1

$$\sigma = \left(C_{10} \cdot (Epsi+1) + C_{01}\right) \cdot 2 \cdot \left(1 - \frac{1}{(Epsi+1)^3}\right)$$

Excel sigma = [C10*(Epsi+1)+C01]*2*[1-1/(Epsi+1)_3]



Material parameters of elastomer matrixes










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Displacements along specimen length



Total displacements and comparison with a single-layer specimen



30° – tensile, 10 mm width



60° – bend, 5.6 mm width





67° – <u>BEND</u> / 4 mm



-1106520		.790.569	· · ·	710	2.	645		31.572 '	
	.327323		1.254		2.151		3.108		1.102





model with bond cord-rubber

This specific area between the cord and the rubber in the computational models of the steel-belt leads to the decreasing of the cord diameters.

> Thickness of this area is also determining parameter for correct consideration of adhesion and degradation processes in the border of steel cord/drift rubber/rubber matrix.

model with bond cord-rubber

The way of adhesive bond incorporation in way of considering the replacement by third material will be show on the next figure. The model of half of one steel-belt layer with the reinforcement formed by compact wire is being concerned. Original border of cord-matrix (i.e. steel-cord diameter) is illustrated with dash line.



COMPUTATIONAL MODEL OF STEEL-CORD BELT for STRESS-STRAIN ANALYSES

- > material parameters of matrix (Mooney-Rivlin) and cord,
- > optimalization (computational time, type of analyses),
- ➤ "open"⇒ other analyses (after supplementation of necessary input data to the models, analyses of thermal field, dynamical form of loading, eventually combination these loading states will be possible),
- > outputs are inputs to FEA model of tire,
- model of steel-cord belt with degradation (<u>CORROSION</u>).

Macro and <u>microstructure</u> of steel-cord belt (interface cord-rubber by <u>microscopy</u>).

<u>Corrosion test</u> of sample of steel-cord belt.

Part 7 – CREATION OF **COMPUTATIONAL MODELS: Geometrical parameters, Material** parameters (characteristics) as input for computational model, Replacement of belt structure for FEA of tire



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Criteria for choosing of tire computational models and requirements













Material parameters of composite structures for ANSYS

Composite s	Orthotropic n	naterial parameters	Young module Ex / Ey / Ez ¹ [MPa]	Main Poiss. ratio ² PRxy / PRyz / PRxz [-]
Steel cord belt	Homogenizatio variant Ol	on one-layer RTHO1	12.0 / 22.2 / 55.0	0.5384 / 0.2801 / 0.1025
		variant ORTHO2A	12 0 / 23 1 / 717 0	0.2706 / 0.1724 / -0.0480
Sieer-cord ben	Homogenization two-layer	variant ORTHO2B	12.07 23.17 717.0	0.3122 / 0.0740 / -0.0234
		variant ORTHO2C	12.0 / 23.1 / 550.0	0.4362 / 0.0924 / -0.0399
Textile overlap belt			21.0 / 25.4 / 745.3	0.8227 / 0.0174 / 0.0132
Textile tire carcass			12.0 / 745.1 / 21.8	0.0076 / 0.4776 / 0.5481

Modulus of shear

Complete MATERIAL PARAMETERS OF COMPOSITE STRU

Material parameters	Stress modules Ex / Ey / Ez¹ [MPa]	Main Poisson ratios PRxy / PRyz / PRxz [-]	Shear modules Gxy / Gyz / Gxz [MPa]
Steel-cord belt	12.0 / 23.1 / 717.0	0.3122 / 0.0740 / -0.0234	5.6 / 16.7 / 12.4
Textile overlap belt	21.0 / 25.4 / 745.3	0.8227 / 0.0174 / 0.0132	6.0 / 23.4 / 19.9
Textile tire carcass	12.0 / 745.1 / 21.8	0.0076 / 0.4776 / 0.5481	11.6 / 20.6 / 4.5

Detail of steel-cord belt into FEA model of tire = **impossible**. In relation to the computational models, the composite component parts are not able to be implemented up to the level of reinforcing cords for reason of the time difficulty as well as the large number of the finite elements. The composite component parts are partially taken into account in the form of specified stiffness or in other words, the composite component parts are partially replaced with definite stiffness.

⇒ necessary steel-cord belt replace by

Different descriptions of composite structure parts into tire computational models



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The suitable selection of the mentioned replacement is influenced by the specific factors including computational time, knowledge of the required materials parameters and expected results of accuracy.

 Replacement of steel cord belt with orthotropic material (marked as ORTHOTROPIC)

Two layers of steel cord belt with symmetrically crossed reinforcements are homogenized together and they exhibit the properties of the orthotropic material which represents the elastomeric layer with cords (homogenization of two layers in order to make only one layer). Materials parameters are specified by experimental process on the basis of which the values of constants of elasticity for steel cord belt in individual directions of tire casing are obtained. The mentioned replacement is often used in practice. The difficulty of this method is connected with the correct determination of Poisson's ratios which have to be calculated in order to obtain the appropriate coordinate system of computational model representing the tire casing. Based on the sensitive analysis, high sensitivity was determined for some Poisson's ratios and it means that only slight change can cause the significant change in stiffness parametres of the belt as well as the whole tire casing.

 Replacement of the areas with so called "rebar" reinforcing finite element (marked as REBAR).

The area of the steel cord belt is expressed by one homogeneous material with parameters which is equal to materials parametres of matrix referring to linear isotropic material. The reinforcement can be defined by real constants including angles of cord, volume measure of reinforcement with its specified by cord material. The reinforcement can be simply expressed by help of volume ration but in relation to this volume ration, there is not real configuration of cords in belt. In comparison with orthotropic material, the utilization of the rebar element in computational model leads to the increase of the computational time because of more sensitive discretization.

 Replacement based on combination of orthotropic material with rebar element (marked as COMBINATION)

This method represents the combination of the advantages relating to the both methods mentioned above.

 Replacement of the areas with layers ("laminated") finite element (marked as LAMINATED) or shell finite element (marked as SHELL / MEMBRANE + solid)

This replacement of the steel cord belt is based on assignation of real constants to the given type of element and the given constants include angles of cord and the number of layers standing for the specified reinforcing element of tire casing while the parametres of the orthotropic material are also assigned. It is necessary to point out that the given orthotropic material represents the homogenization of the individual steel cord belt layers. Steel cord belt with two layers consists two layers which are positioned in a parallel way. The mentioned layers are described by help of real constants representing cord angles and by parameters of orthotropic material which is identical for both layers. In relation to the mentioned two layers, the third layer can be placed between these two layers and this third layer represents elastomeric interlayer which is between layers of steel cord belt. The two-layered steel cord belt can be also made up of five parallel layers and the order of the given layers. This introduced replacement is the closest to real description of the two-layered steel cord belt.

The Poison's ratios of the orthotropic material describing each one layer of steel cord belt and could be determined more precisely in comparison with the case where the replacement of steel cord belt is obtained with orthotropic material or in other word, by homogenization of two layers of steel-cord belt leading to creation of one part only.



The definition of the two-layered steel-cord belt by help of "laminated" finite element.

 Replacement of steel cord belt by special reinforcing finite element

Relating to the description of the steel cord belt for tire casing, the special type of element is recommended during the operation in ANSYS software and this new special type of element is Reinf265, which is assigned to the areas of the steel cord belt with Solid186 type of element. Considering FEM, there is not a lot of available information in relation to the mentioned type of the element and therefore, the utilization of Reinf is going to be the subject of authors' investigation from the aspect of the replacement of the steel cord belt as well as other tire composite components.

The computation modeling and calculations of longfiber composites are very difficult because the accurate materials characteristics of matrixes and reinforcement are needful but these accurate materials characteristics have to be obtained from the experiments.

The obtained information on geometric arrangement of reinforcements can be used also for optimization of arrangement of cords in the tire casing in order to gain better stiffness parameters standing for individual directions.

ORTHOTROPIC material model input: 9 material parameters (E, v, G).

- REBAR element (concret Solid65 = 8-nodes!)
 Steel-cord belt = material parameters matrix.
 Cord = real constant.
 - *input:* + material parameters of matrix and cord
 - + <u>real</u> constants = angle and volume %.









Disadvantages:

- Determination of material parameters must be accurate.



- Solid65 **inpossible hyperelastic material models**! Rubber describes only by modulus of elasticity

- no used interactive solution!

(Only Frontal solution method)

- convergency is very slow

Part 8 – OUTPUTS FROM **SIMULATIONS:** Simulation of tireroad interactions, Outputs from plane surfaces and obstacles, Dynamic loading, **Modal analysis**



Different descriptions of composite structure parts into tire computational models


ORTHOTROPIC material model input: 9 material parameters (E, v, G).

- REBAR element (concret Solid65 = 8-nodes!)
 Steel-cord belt = material parameters matrix.
 Cord = real constant.
 input: + material parameters of matrix and cord
 - + <u>real</u> constants = angle and volume %.





Solid65 inpossible hyperelastic material models! Rubber describes only by modulus of elasticity

- no used interactive solution!

(Only Frontal solution method)







PROFILES OF OBSTACLES

Due to the fact that the profiles of road obstacles have neither been standardized nor published, in the present paper *convex and concave sinusoidal obstacles were defined* with a period of 150 mm. The height (amplitude) of the obstacle was set equal to the magnitude of the tyre-



road "shift "- 20 mm.

Definition of sinusoidal obstacles for contact calculation problems







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ESPI experiment





measurement of Matador tire MP12 82T 165/65 R13

Modes	Value of own frequencies Hz	Amplitude µm	Number of oscillating fields	Frequency by ESPI	Vizualization field of tire
T1	78	3,9	2	_	_
T2	121	3,8	4	120	Fig.4
Т3	180	3,7	6	179	Fig.5
R1	100	4,0	2	_	_
R2	135	3,4	4	136	Fig.6
R3	165	3,2	6	166	Fig.7
R4	189	3,0	8	188	Fig.8
R5	208	2,8	10	208	Fig.9
R6	240	1,9	12	239	Fig.10



Tire vibration field at a frequency of 120 Hz.



179 Hz



Tire vibration field at a frequency of 136 Hz



166Hz



Tire vibration field at a frequency of 188 Hz



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Módy	Vlastné frekvencie (MARC) [Hz]	Vizualizácia		
Axiál 1	100	Mic: 0;000e+000 Freq: 9:959e+001 1.849e+001 1.356e+001 1.356e+001 1.110e+001 8.631e+000 6.165e+000 3.699e+000 1.233e+000 -1.233e+000 -3.699e+000 -3.699e+000 -1.233e+000 -1.233e+000 -1.233e+000 -1.235e+001 -1.356e+001 -1.356e+001 -1.356e+001 -1.603e+001 -1.849e+001 Mic: 0 Mic: 0 <		
Axiál 2	135	1000 1.725e+000 1.725e+001 1.495e+001 1.265e+001 1.035e+001 1.035e+001 8.049e+000 5.750e+000 3.450e+000 1.150e+000 - -1.150e+000 - -1.150e+001 - -1.265e+001 - -1.265e+001 - -1.725e+001 - -1.725e+001 -		

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Módy	Vlastné frekvencie (MARC) [Hz]	Vizualizácia	
Axiál 3	183	1.480e+001 1.283e+001 1.283e+001 1.086e+001 8.883e+000 6.909e+000 4.935e+000 2.961e+000 9.870e-001 -2.961e+000 -4.935e+000 -1.086e+001 -1.283e+001 -1.480e+001	
Axiál 4	219	1/000 1/000 1/000 1.518e+001 1.315e+001 1.1315e+001 1.113e+001 9.107e+000 7.083e+000 3.036e+000 3.036e+000 1.012e+000 -3.036e+000 -3.036e+000 -3.036e+000 -1.012e+000 -1.012e+000 -1.113e+001 -1.1315e+001 -1.518e+001 -1.518e+001	



Radiálne módy plášťa 195/75 R14

(MARC) [Hz]	v izuanzacia
107	Ime: 0.000e+1000 Freq: 1.073s+000 4.998e+000 4.998e+000 3.181e+000 2.272e+000 1.363e+000 4.544e-001 -1.363e+000 -3.181e+000 -2.272e+000 -3.181e+000 -3.181e+000 -3.181e+000 -3.181e+000 -3.181e+000 -5.907e+000 -3.181e+000 -5.907e+000 -5.907e+000 -6.816e+000 -5.907e+000 -6.816e+000 -5.907e+000
131	Image: Wight of the second s
	107





Axiálne módy plášťa 205/55 R16 Vlastné frekvencie Módy Vizualizácia Vlastné frekvencie (MARC) [Hz] Vizualizácia Módy (MARC) [Hz] Time: 01000+000 Freq: 2.0096+002 1.545e+001 1 me: 0 000e+000 Freq: 2056e+001 1.235e+001 1.468e+001 9.253e+000 1.191e+001 6.153e+000 8.931e+000 3.053e+000 5.954e+000 -4.713e-002 Axiál 4 201 2.977e+000 -3.147e+000 Axiál 1 0.000e+000 71 -6.247e+000 -2.977e+000 -9.347e+000 -5.954e+000 -1.245e+001 -8.931e+000 -1.555e+001 -1.191e+001 -1.486e+001 modal Displacement X modal Time: 0,000e+000 Freq: 2.289e+002 Displacement X 1.612e+001 Time: 07000e+000 Freq: 1.172e+002 1.290e+001 1.413e+001 9.674e+000 1.13De+001 6.119e+000 8.478e+000 3.225e+000 5.652e+000 0.000e+000 Axiál 5 229 2.826e+000 -3.225e+000 Axiál 2 117 0.000e+000 -6.449e+000 -2.826e+000 -9.674e+000 -5.652e+000 -1.290e+001 -8.478e+000 -1.612e+001 -1.130e+001 -1.413e+001 modal Displacement Y modal Time: 0.000e+000 Freg: 2.562e+002 Displacement X 1.666e+001 Time: 0.000e+000 Freq: 1.666e+002 1.333e+001 1.516e+001 9.995e+000 1.213e+001 6.663e+000 9.094e+000 3.332e+000 6.063e+000 0.000e+000 Axiál 6 256 3.031e+000 -3.332e+000 Axiál 3 167 0.000e+000 -6.663e+000 -3.031e+000 -9.995e+000 -6.063e+000 -1.333e+001 -9.09**4**e+000 -1.666e+001 -1.213e+001 -1.516e+001 modal Junior SU9 modal Displacement X

Axiálne módy plášťa 205/55 R16

Radiálne módy plášťa 205/55 R16

Radiálne módy plášťa 205/55 R16



Radiálne módy	plášťa pneumatil	ky 205/55 R16
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Módy	Rezonančné frekvencie (ESPI) [Hz]	Vizualizácia
Radiál 1	÷	3 4 5
Radiál 2	123	
Radiál 3	133	
Radiál 4	154	

ESPI vs. MARC 165/65 R13

Mode	ESPI (Experiment) [Hz]	MARC [Hz]	Difference [%]
Axiál 1	-	99	-
Axiál 2	120	135	11,1%
Axiál 3	179	183	5,3%
Axiál 4	-	219	-
Axiál 5	-	245	-
Axiál 6	-	270	-
Radiál 1	-	107	-
Radiál 2	136	131	3,7%
Radiál 3	166	156	6%
Radiál 4	188	185	1,6%
Radiál 5	208	215	3,3
Radiál 6	239	246	2,8





The reinforcements are not included in the computational model because this model serves as a debugging model. The material parameters were specified by one type of material only, with modulus of flexibility 90 GPa and Poisson number 0.45.



Meshing of quarter of computational model in FEM program



Part 9 – INTEREST **INFORMATION:** Optimalization of computational time, Material parameters and their sensitivity to the precision of results, **Structure of truck tire, Freeware (CADEC)** for compute of composite material parameters



Structure of truck tire in the middle of tire crown











320



Cycle loading



Cycle loading



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Cycle loading







Cycle loading



Design of Method for Cyclic Tensile Loading of Composites

The universal testing device: Autograph AG-X plus 5 kN – Schimadzu with video-extensometer is used for cyclic loading in temperature chamber. Software Trapenzium X Control is used.

Before carrying out the mechanical tests, the geometric parameters of test samples it were proposed and test conditions with respect to the current standards and test equipment opportunities were determined.



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The loading speed is 250 mm/min for cycle tests and 50 mm/min for preload by force value 2 N.

The PA 66 is used as textile reinforcement for tests of cyclic The loading. composite specimens with textile reinforcement's angles 0° reinforcement (textile is perpendicular to the direction of loading), 45° and 60° are used for cyclic tests.

The geometrical parameters of specimens are: specimen's length is 195 mm, width is 35 mm, initial length between the clamps of test machine is 100 mm and specimen's thickness is 1.05 mm. The EPM is 870 m-1. The initial length between the points for video-extensometer is 50 mm.



Calibration process

The five cycle loops are used. Every cycle loop consists of five cycles. Every cycle is defines as loading to certain percent of elongation between clamps of test machine and unloading to certain percent of elongation between clamps of test machine.

For angles 0 and 45° the first cycle loop consists of cycles with loading to 30% and unloading to 3% of elongation (not 0% because negative force is not possible during tensile testing for certain composite specimens with textile reinforcement). The second loop consists of cycles with elongation higher by 10%: loading to 40% and unloading to 10% of elongation. The third loop consists of five cycles which have loading to 50% and unloading to 20% of elongation, the fourth loop with cycles has loading to 60% and unloading to 30% of elongation. The fifth loop has cycles with different elongations, the loading to 60% is the same as fourth loop and unloading is 5% of elongation.

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Eito Sett Com Act alter Pre-rest										
Pre-Test	Pre-Load 2 N Pause									
	mm/min	•		_						

Method for cyclic tensile loading by Trapenzium X Control

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Dependence of stress on strain on extensometer



Dependence of true stress on true strain on extensometer

Composite after tests of cycle loading

Dependences of true stress on elongation between points for video-extensometer (marking as elongation ex.) are on:

for cord angle 45°;

for cord angle 0°;

and for cord angle 60° (different method).





Comparison of the fifth cycles

The dependences of fifth cycle of every cycle loop are important for compare between cord angles. For cord angles 0 and 45° the comparisons of the fifth cycles are given on the figure on the left as dependences of tensile force on displacement between clamps of test machine; on the right as dependences of true stress on elongation ex. The approximately the dependences for cord angle 0° can be used as input material parameters of elastomer matrix.



In this study, the methods with five cycle loops for different elongation with five cycles in every cycle loop have been designed with following finding:

- The fifth cycles in every cycle loops can be considered as stable cycle.
- The values of true stress for cord angle 45° are approximately 20÷25 % higher than values for cord angle 0°.
- Suggestion for second way of method: unloading for next cycle loop only to maximum elongation from previous cycle loop.

The part deals with design of methods for static experiment and dynamic experiment as low-cyclic tensile tests of polymer reinforcements for composites with using temperature chamber. For textile materials, DIN 53835-13* standard is defined and according to mentioned standard the conditions are takes into consideration during the first 5 cycles.

* DIN 53835-13, Testing of textiles; determination of the elastic behaviour of textile fabrics by a single application of tensile load between constant extension limits. 1983

The loading speeds are set to 250 mm/min for cycles and 50 mm/min for a pre-test (preload) by force value 2 N.

The test consisted of ten cycles; every cycle is defined as loading to certain percent of elongation with pause 5 sec (measurement with stress relaxation).

The loading speed of 150 mm/min (as the second method) was used to compare the results with loading speed of 250 mm/min.

Special jaws for textile materials were used. The initial length between the jaws was 250 mm.

The measured length (i.e. the distance between points for the videoextensometer) was approximately 150 mm. The first tests for polyester were done upon selected positive temperatures (25 and 80 °C)



Testing with temperature chamber



Dependences of force on deformation (elongation)

The results will be use in computational modeling as inputs for calculations in relation to the material characteristics and parameters.

The next research area of author will be focused on the specific testing of polymers upon cyclic multi-axis (biaxial) temperature loading with special testing equipment called Arcan test (see figure) with temperature chamber allows the tests from -70 to + 180 °C and from +20 to + 80 °C it is possible change humidity from 30 to 95 %.



Arcan test



A stretch frame used for equi-biaxial loading of rubber specimens.



$$\mathcal{E}_{celk=compozite} = \mathcal{E}_{c=cord} = \mathcal{E}_{r=matrix}$$

$$\bigcup$$

$$\sigma = f_c \cdot \sigma_c + (1 - f_r) \cdot \sigma_r = \mathcal{E} \cdot \left[f_c \cdot E_c + (1 - f_c) \cdot E_r \right]$$

$$\bigcup$$

$$E_1 = E_c \cdot f_c + E_r \cdot (1 - f_c)$$

Jednosměrový kompozit (jednovložkový)

$$\begin{split} E_{1} &= E_{c} \cdot f_{c} + E_{r} \cdot (1 - f_{c}) \\ \nu_{12} &= \nu_{c} \cdot f_{c} + \nu_{r} \cdot (1 - f_{c}) \\ E_{2} &= \frac{E_{r} \cdot \left[E_{c} \cdot (1 + \zeta_{1} \cdot f_{c}) + \zeta_{1} \cdot E_{r} \cdot (1 - f_{c}) \right]}{E_{c} \cdot (1 - f_{c}) + \zeta_{1} \cdot E_{r} \cdot (1 + f_{c}/\zeta_{1})} \Rightarrow \text{ pro Ec } \Box \text{ Er plyne: } E_{2} &= \frac{E_{r} \cdot (1 + 2 \cdot f_{c})}{(1 - f_{c})} \\ g_{12} &= \frac{G_{r} \cdot \left[G_{c} \cdot (1 + \zeta_{2} \cdot f_{c}) + \zeta_{2} \cdot G_{r} \cdot (1 - f_{c}) \right]}{G_{c} \cdot (1 - f_{c}) + \zeta_{2} \cdot G_{r} \cdot (1 + f_{c}/\zeta_{2})} \Rightarrow \text{ pro Ec } \Box \text{ Er plyne: } G_{12} &= \frac{G_{r} \cdot \left[G_{c} + G_{r} + f_{c} \cdot (G_{c} - G_{r}) \right]}{G_{c} + G_{r} - f_{c} \cdot (G_{c} - G_{r})} \\ \nu_{21} &= \nu_{12} \cdot \frac{E_{2}}{E_{1}} \\ f_{c} &= \pi R^{2} \cdot n/t \end{split}$$

One-layer

$$\begin{pmatrix} \sigma_x \\ \sigma_y \\ \tau_{xy} \end{pmatrix} = \begin{pmatrix} Q_{11} & Q_{12} & 0 \\ Q_{12} & Q_{22} & 0 \\ 0 & 0 & S_{66} \end{pmatrix} \begin{pmatrix} \varepsilon_x \\ \varepsilon_y \\ \gamma_{xy} \end{pmatrix}$$
$$\begin{pmatrix} \varepsilon_x \\ \varepsilon_y \\ \gamma_{xy} \end{pmatrix} = \begin{pmatrix} S_{11} & S_{12} & 0 \\ S_{12} & S_{22} & 0 \\ 0 & 0 & S_{66} \end{pmatrix} \begin{pmatrix} \sigma_x \\ \sigma_y \\ \tau_{xy} \end{pmatrix}$$

$$Q_{11} = \frac{E_L}{1 - v_{LT} v_{TL}} \qquad S_{11} = \frac{1}{E_L}$$

$$Q_{22} = \frac{E_T}{1 - v_{LT} v_{TL}} \qquad S_{22} = \frac{1}{E_T}$$

$$Q_{12} = \frac{v_{TL} E_L}{1 - v_{LT} v_{TL}} = \frac{v_{LT} E_T}{1 - v_{LT} v_{TL}} \qquad S_{12} = \frac{-v_{LT}}{E_L} = \frac{-v_{TL}}{E_T}$$

$$Q_{66} = G_{LT} \qquad S_{66} = \frac{1}{G_{LT}}$$

$$E_{L} = \frac{Q_{11}Q_{22} - Q_{12}^{2}}{Q_{22}} = E_{1}$$

$$E_{T} = \frac{Q_{11}Q_{22} - Q_{12}^{2}}{Q_{11}} = E_{2}$$

$$v_{LT} = -\frac{Q_{12}}{Q_{11}} = v_{12}$$

$$G_{LT} = Q_{66} = G_{12}$$





Cord anle ≠ 0

$$\frac{1}{E_{X}} = \frac{\cos^{4}\Theta}{E_{L}} + \frac{\sin^{4}\Theta}{E_{T}} + \frac{1}{4} \left(\frac{1}{G_{LT}} - \frac{2\nu_{LT}}{E_{L}}\right) \sin^{2} 2\Theta$$

$$\frac{1}{E_{Y}} = \frac{\sin^{4}\Theta}{E_{L}} + \frac{\cos^{4}\Theta}{E_{T}} + \frac{1}{4} \left(\frac{1}{G_{LT}} - \frac{2\nu_{LT}}{E_{L}}\right) \sin^{2} 2\Theta$$

$$\frac{\nu_{XY}}{E_{X}} = \frac{\nu_{LT}}{E_{L}} - \frac{1}{4} \left(\frac{1}{E_{L}} + \frac{2\nu_{LT}}{E_{L}} + \frac{1}{E_{T}} - \frac{1}{G_{LT}}\right) \sin^{2} 2\Theta$$

$$\frac{\nu_{YX}}{E_{Y}} = \frac{\nu_{TL}}{E_{T}} - \frac{1}{4} \left(\frac{1}{E_{L}} + \frac{2\nu_{LT}}{E_{L}} - \frac{1}{E_{T}} - \frac{1}{G_{LT}}\right) \sin^{2} 2\Theta$$

$$\frac{1}{G_{XY}} = \frac{1}{E_{L}} + \frac{2\nu_{LT}}{E_{L}} + \frac{1}{E_{T}} - \left(\frac{1}{E_{L}} + \frac{2\nu_{LT}}{E_{L}} + \frac{1}{E_{T}} - \frac{1}{G_{LT}}\right) \cos^{2} 2\Theta$$

Multi-layers

$$\boldsymbol{E}_{\boldsymbol{\Phi}(\boldsymbol{\Theta})} = E_c \cdot f_c \cdot \cos^4(\boldsymbol{\Theta}) + 4 \cdot G_r \cdot (1 - f_c) - \frac{\left[E_c \cdot f_c \cdot \sin^2 \boldsymbol{\Theta} \cdot \cos^2 \boldsymbol{\Theta} + 2 \cdot G_r \cdot (1 - f_c)\right]^2}{E_c \cdot f_c \cdot \sin^4 \boldsymbol{\Theta} + 4 \cdot G_r \cdot (1 - f_c)}$$

$$\boldsymbol{E}_{\boldsymbol{\xi}(\boldsymbol{\Theta})} = E_{\Phi(\pi/2 - \boldsymbol{\Theta})}$$

$$\nu_{\Phi\xi} = \frac{E_c \cdot f_c \cdot \sin^2 \Theta \cdot \cos^2 \Theta + 2 \cdot G_r \cdot (1 - f_c)}{E_c \cdot f_c \cdot \sin^4 \Theta + 4 \cdot G_r \cdot (1 - f_c)} \approx cotg^2 (\Theta)$$

$$v_{\xi\Phi(\Theta)} = v_{\Phi\xi(\pi/2-\Theta)} \approx tg^2(\Theta)$$

Mutti-layers versus one-layer





Závislosti Youngových modulů, střihových modulů a Poissonových poměrů na úhlu kordu (Nylon 94 tex/2) © pro jednovložkový (A) a čtyřvložkový (B) systém

Barbero Ever J.: Introduction to composite materials design. ISBN 978-1-4200-7915-9. Barbero Ever J.: Finite element analysis of composite material. ISBN 978-1-4200-5433-0. CADEC Jan KRMELA: Experiments and Computational Modelling of Tires, 2020

Part 10 – CONCLUSION: **Recycling of tires, Future tire design –** advantage and disadvantage and SEARCH STUDY ABOUT COMPUTATIONAL **MODELING OF TIRE NOISE**







advantage / disadvantage No inflation pressure / no stability during cornering Only for low speed

SEARCH STUDY ABOUT

COMPUTATIONAL MODELING OF TIRE NOISE

1. Part – GENERAL STUDY

This search study deals with problem of tire-noise in term of computational modeling (different models, approach to models for tire-noise) and some articles deal with experiments for calculations.

The first part of search study includes list of companies concerned with tire noise, also list of books, journals, articles or presentations.

INSTITUTES, LABORATORIES concerned with study tire-noise (in term of computation or experiment with some download articles, research projects, presentations etc.):

Institute of Mechanics and Computational Mechanics, Leibniz University Hannover, Germany web address http://www.ibnm.uni-hannover.de/en/institut contact: M. Brinkmeier, U. Nackenhorst, J. Biermann – Institute of Modelling and Computation, Hamburg University of technology biermann@tu-harburg.de OCOD WEBSITE download papers: e.g. poster Numerical simulation of tire rolling noise radiation: http://www.ibnm.unihannover.de/de/forschung/projekte/finite-element-algorithms/numerical-simulation-of-tire-rolling-noise-radiation http://www.fv-leiserverkehr.de/pdf-dokumenten/euronoise_2006/tuhh_uh_euronoise2006.pdf FEM/IFEM acoustic model

Transports and Environment Laboratory LTE, The French National Institute For Transport and Safety Research, INRETS, Bron, France http://www.inrets.fr/ur/Ite Bécot, Barreled, W. Kropp¹, J.-F. Hamet, P. Klein, J. Périsse download papers on field Acoustique Physique: e.g. poster On sound radiation from tyres: http://www.inrets.fr/ur/Ite/publi-autresactions/lesposters/soundradiation.pdf

http://www.inrets.fr/ur/Ite/publications/publications-pdf/web-hamet/in00_674.pdf

Colorado Department of Transportation

http://www.dot.state.co.us

GOOD WEBSITE

Hanson, James (or National Center for Asphalt Technology, Auburn University, Alabama) download research reports: http://www.dot.state.co.us/publications/ResearchReports.htm#Noise http://www.pavetrack.com/documents/NCAT%20Reports/04-02%20Tire-Pavement%20Noise%20Study.pdf

> ATS Consulting, Los Angeles, California http://www.atsconsulting.com/profile.html

H. Saurenman – solutions for noise and vibration

download some articles: http://www.atsconsulting.com/hughpdfs.html http://www.atsconsulting.com/projects.html

List of organizations in field of tire-pavement noise – website link

http://www.fhwa.dot.gov/environment/noise/tp_noise.htm
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European LS-DYNA Conference

http://www.dynamore.de/

Fukushima, Shimonishi – Nissan Motor Co., Japan – Tire model for dynamics sample articles: http://www.dynamore.de/download/af04/papers/B-I-4.pdf http://www.dynamore.de/download/eu03/papers/B-III/LS-DYNA_ULM_B-III-01.pdf

Shiraishi – Sumitomo Rubber Industries, LTD., Japan – Tire model for crash simulations

- Enterprise and Industry http://ec.europa.eu/enterprise/automotive/projects/ http://ec.europa.eu/enterprise/automotive/projects/report_tyre_road_noise1.pdf
- Geschäftsstelle Leiser Verkehr, Köln http://www.fv-leiserverkehr.de/ http://www.fv-leiserverkehr.de/pdf-dokumenten/

BOOKS about tire-noise - e.g.:

Ulf Sandberg, Jerzy A.Ejsmont: Tyre/Road Noise Reference Book: INFORMEX Sweden, ISBN Number: 91-631-2610-9, 640 page; Tire Noise Mechanisms <u>http://www.informex.info/html/brochure_-p2_semifinal_v_2002.HTM</u> list of contents: <u>http://www.road.pl/tyre-road-</u>

noise.htm

Tire/road contact modelling for a rolling tire: Eindhoven University of Technology, 2006, DCT 2006.66, 55 pages, keyword: tire-road mode, contact, Abaqus

http://alexandria.tue.nl/repository/books/626574.pdf

JOURNALS with full-text articles free download at Technische Universitat Graz – e.g.:

JSME International Journal Series C Mechanical Systems, Machine Elements and Manufacturing – Publisher The Japan Society of Mechanical Engineers

http://www.jstage.jst.go.jp/browse/jsmec http://www.jstage.jst.go.jp/search/jsmec?dif2=and&d2=au&dp2=&dif5=and&d5=te&dp5=tire+noise&pl=20&search=Search

Vehicle System Dynamics International Journal of Vehicle Mechanics and Mobility – Publisher Taylor & Francis

http://www.informaworld.com/smpp/title~content=t713659010~db=all

Journal of Sound and Vibration – website data source ScienceDirect

ALSO INFORMATION – SEARCH ENGINES – e.g.: for full-text PDF articles

http://www.pdf-search-engine.com/

also full-text articles from:

LUND University

http://www.control.lth.se/publications

E.g. articles by Svendenius

Quartus Engineering

http://www.quartus.com/resources/

by Reid http://www.quartus.com/resources/papers/downloads/2006-13--paper-from-conference-proceedings.pdf

IngentaConnect

ScienceDirect

http://www.sciencedirect.com/

http://www.ingentaconnect.com/

Keywords for searching: tire noise; fem tire; Fiala handling force model; PAC2002 Magic-formula; tire model Pacejka; Adams-tire; etc.

2. Part – COMPUTATIONAL MODELS STUDY

This part of search study describes some interesting computational models for tire-noise analyses.

LIST OF MODELS:

FEM/IFEM acoustic model – Hamburg University of technology + University Hannover, Germany

Description: Finite Element approach with Special Finite Element, stationary rolling contact by Arbitrary Lagrangian Eulerian formulation, for sound radiation analysis good FEM physical model 000

PLATE model Kropp – Chalmers University of Technology, Sweden

Description: High-frequency 🙂, elastic layer, orthotropic plate model, simplicity

SPERoN model – M+P

Description: hybrid model

By Kuijpers:

The modelling approach used in various projects can be classified in three categories: purely statistical models, purely deterministic models and hybrid models. The purely statistical models try to relate measurement data to measured sound production. A wellknown example of this approach is the work of Sandberg and Descornet [2]. Purely deterministic models try to model the physical processes involved in tyre vibration and sound radiation from the tyre. Measurement data is only used for the validation of the model. The tyre model of Kropp [3,4,5] is an influential example of this modelling approach. Lately, a combination of statistical and physical modelling is increasingly used: the hybrid modeling approach which was used by Fong [6], Hamet et al. [7], and Beckenbauer and Kuijpers [8] all "

* these models are based on the contact force calculation method introduced by Clapp [9].

≻ "SILENCE" model – SILENCE

Description: Inverse Boundary Element Method 🙂

BEMSYS model – Y.H.Wijnant, University of Twente, Faculty of Engineering Technology, Department of Applied Mechanics, the Netherlands

Description: Boundary Element Method by program BEMSYS, for radiated sound

≻ Green's Function for the Orthotropic Plate Model – INRETS-LTE

Description: analytical model for texture spectra

also seaman hybrid model, analytical Kim, program MD Adams/Tire FTire,

Jan KRMELA: Experiments and Computational Medalling of Time 2000



MATERIAL INPUT FOR TIRE SIMULATION

\Rightarrow Introduction

Fig. 1. Computational model of the tire casing

Computational modeling of tires by Finite Element Method allows solving of various ways of loading. It is possible deal with static tire models if only static load should be applied (a car stands, the target is to determine deformation conditions of inflated tires loaded by the vertical force) or dynamic tire models, which will represent real states of tires during car such as tire impact on the specific barrier at a certain car speed. It is important to experimentally determine material parameters used for the description of each individual part of tire-casings [1] for computational modeling of tires, Fig. 1.

E.g. material parameters as the modulus of elasticity and Poisson ratio describe the textile fiber [2]. For the description of elastomer parts of tire-casings there are used several material models of the viscoelastic behavior of the material – constitutive models, the Mooney-Rivlin (MR) model is the most commonly used. To determine of MR material parameters, it is necessary to carry out the tensile test for elastomer samples by standard ISO 37 [3]. Next way, MR parameters can be determined on the basis of the Shore A hardness.

⇒ Determination of Mooney-Rivlin material parameters from Shore A hardness

The procedure is such that the Shore A hardness (it is expressed as A in equations) is converted to the elastic modulus E [MPa] or shear modulus G [MPa] and then MR parameters are determined from the modulus. These equations can be used conversion of the mentioned hardness. In equation (2), the elastic modulus is expressed in psi. Batterman/Köhler equation (4) is based on expression dependence between shear modulus and Shore A hardness. These equations can lead to different results of moduli for the same Shore A hardness. Mooney-Rivlin parameters are standard calculated [1].

1) Gent equation [4]

$$E = \frac{0.0981 \cdot (56 + 7.62336 \cdot A)}{0.137505 \cdot (254 - 2.54 \cdot A)}$$

$$E = \exp(0.0235 \cdot A - 0.6403)$$

3) equation [6] 4) Batterman/Köhler equation [7] $E = 11.427 \cdot A - 0.4445 \cdot A^2 + 0.0071 \cdot A^3$ $G = 0.086 \cdot 1.045^A$

⇒ Moduli of elasticity of composite structures of tire-casings such as steel-cord belt

The moduli are determined on the basis of the statical tensile and bend tests [1] and they can be used for verification analyses between tests and computational modeling of structure parts of tire-casings. As the first method, there is used a method based on 0–8 % strain. The principle of the method lies in calculating the value of 8 % strain of the specimens. From the intersection of the dependencies of force-deformation and stress-strain from the uniaxial static tensile test, the values for applied force for given deformation and given specific strain are read and these values are inserted into Equation (5) for calculating modulus of elasticity.

 $E = \frac{\sigma}{\varepsilon} = \frac{F \cdot I}{\Delta I \cdot S} = \frac{(F_n - F_0) \cdot I}{(I_n - I_0) \cdot S}$ where E [MPa] is the modulus of elasticity, σ [MPa] = tensile stress, ε [%] = strain, F [N] = tensile force, I [mm] = initial length of the specimen between clamps of test machine, S [mm²] = initial cross-section area of specimen, ΔI [mm] = length through which the specimen is elongated amount, Fn [N] = ending tensile force for concrete method, F_o [N] = starting tensile for concrete method, I_n [mm] = ending elongation for concrete method, I_o [mm] = starting elongation for concrete method.

Other methods are similar, but the range of values of the strain is changed for the calculation: 4-8 %, 0-10 % and 4-10 %. The last method is based on reading values of the linear part of dependence. As a sample, the calculations of moduli of elasticity are made on five specimens with a different two-layer steel-cord belt of a radial tire casing, the stress-strain dependences are in Fig. 2. The obtained values from the dependence for each method are substituted into the Equation (5) and there is calculated the modulus of elasticity – see Tab. 1.

There are differences in the methods for determination of the modulus of elasticity for each specimen. The moduli of elasticity are in the longitudinal direction of tires.

From the results, there was selected the most precise method for the determination of the modulus of elasticity, which is suitable for other specimens of steel-cord belt configurations.

Through the comparison of results of moduli of elasticity obtained by individual methods, it can be stated that the most appropriate method to calculate the modulus of elasticity of steel-cord belts is the method based on 4-8 % elongation.



Tab. 1. Moduli of elasticity for specific tire specimens

Specimen No.	Methods start-end of strain [%]	Modulus of elasticity [MPa]
Î	0-8 %	225.8
3	4-8 %	218.5
	0-10 %	223.1
	4–10 %	233.1
	linear part	265.4
2	0-8 %	55.4
	4-8 %	53.6
	0-10 %	58.6
	4–10 %	59.5
	linear part	200.0
3	0-8 %	357.1
	4-8 %	380.9
	0-10 %	380.9
	4-10 %	412.6
	linear part	1 023.1
4	0-8 %	109.2
	4-8 %	65.5
	0-10 %	101.3
	4–10 %	67.0
	linear part	64.0
5	0-8 %	106.7
	4-8 %	151.7
	0-10 %	160.7
	4-10 %	154.7
	linear part	295.2

Fig. 2. Stress-strain dependences from tensile tests of specimens

⇒ Moduli of elasticity of tire-crown

The specimens were prepared with different width 15 and 20 mm with different directions. The static tensile tests and bend tests are performed for the specimens in agreement with the standard specifications and the aim was to obtain the modulus of elasticity for different directions of configuration of specimens. The conditions of the bend tests are: The distance between outside points was 50 mm. The loading speed was 5 mm/min. The conditions of the tensile tests are: The initial length between the clamps of the test machine is 100 mm and the loading speed is 10 mm/min. The modulus of elasticity is obtained by two elongations by 4 and 8 %.

The deformations of specimens during the bend tests are in Fig. 3 as sample and results are in Tab. 2.



Tab. 2. Moduli of elasticity by the method 4-8 %

Modulus of elasticity for	Specimen width	
method 4–8 % [MPa]	15 mm	20 mm
Longitudinal	134	183
Transverse	158	173



\Rightarrow Conclusions

The moduli of elasticity can be used for verification analyses between tests and computational modeling of structure parts of tire casings. For obtained of better results, there is necessary to deal with cyclic tensile tests of long-fiber composites with textile reinforcement. Also specific low-cyclic tensile tests of tire textile carcass are also important for obtaining material parameters too.

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which is available in selected universities and state libraries in EU states (Poland, Czech republic, Austria, Slovak republic) and states without EU (Belarus, Ukraine).

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